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**Thomas W. Tucker\*** (ttucker@mail.colgate.edu), Math Department, Colgate University, Hamilton, NY 13346, and **Marston Conder** (m.conder@auckland.ac.nz). *Gap-filling for the Symmetric Genus of a Group.*

The *symmetric genus* of a finite group  $A$  is the smallest  $g$  such  $A$  acts faithfully as a group of automorphisms of a surface of genus  $g$ ; if the action is required to preserve orientation, one gets the *strong symmetric genus*. May and Zimmerman (2002) showed that for every  $g$ , there is a group of strong symmetric genus  $g$ , that is there are no gaps for the strong symmetric genus. In this talk, we show that the only possible gaps for the symmetric genus are  $g \equiv 2, 8, 14 \pmod{18}$ , by constructing various families of groups that together fill in all the other genera. (Received February 27, 2007)