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Contractedness of  $\mathfrak{m}$ -primary integrally closed ideals played a central role in the development of Zariski's theory of integrally closed ideals in two-dimensional regular local rings  $(R, \mathfrak{m})$ . In such rings, the contracted  $\mathfrak{m}$ -primary ideals are known to be characterized by the property that  $I : \mathfrak{m} = I : x$  for some  $x$  in  $\mathfrak{m}$ . We call such ideals full ideals and we then compare this class of ideals with the classes of  $\mathfrak{m}$ -full ideals and basically full ideals in higher dimensional regular local rings. The  $\mathfrak{m}$ -full ideals are known to be full and we find a sufficient condition for a full ideal to be  $\mathfrak{m}$ -full. In this paper we show the equivalence of the properties full,  $\mathfrak{m}$ -full, integrally closed and normal, for the class of parameter ideals. We then also find a sufficient condition for a basically full parameter ideal to be full. (Received August 07, 2007)