Let $K$ be a class of graphs. Then, $K$ is said to have a finite duality if there exists a pair $(F, U)$, where $U$ is in $K$ and $F$ is a finite set of graphs, and for every $G$ in $K$, $G$ is homomorphic to $U$ if and only if $H$ is not homomorphic to $G$ for every $H$ in $F$. Using a result of C. Thomassen, we show some well known minor closed classes have non-trivial finite dualities. We also present other minor closed classes that do not have non-trivial finite duality. We conclude the talk with a conjecture that generalizes our result. (Received August 30, 2007)