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**Xujin Chen\*** (xchen@amss.ac.cn), **Gouli Ding** and **Wenan Zang**. *An Excluded Minor Characterization of Box-Mengerian Matroid Ports.*

Let  $M$  be a matroid on  $E \cup \{\ell\}$ , where  $\ell \notin E$  is a distinguished element of  $M$ . The  $\ell$ -port of  $M$  is the set  $\mathcal{P} = \{P : P \subseteq E \text{ with } P \cup \{\ell\} \text{ a circuit of } M\}$ . Let  $A$  be the  $\mathcal{P}$ - $E$  incidence matrix. Let  $U_{2,4}$  be the uniform matroid on four elements of rank two,  $F_7$  be the Fano matroid,  $F_7^*$  be the dual of  $F_7$ , and  $F_7^+$  be the unique series extension of  $F_7$ . We show that the system  $A\mathbf{x} \geq \mathbf{1}, \mathbf{x} \geq \mathbf{0}$  is *box-totally dual integral* (box-TDI) if and only if  $M$  has no  $U_{2,4}$ -minor using  $\ell$ , no  $F_7^*$ -minor using  $\ell$ , and no  $F_7^+$ -minor using  $\ell$  as a series element. Several applications of our result is also presented. (Received February 04, 2008)