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**Frantisek Marko\*** (fxm13@psu.edu), The Pennsylvania State University Hazleton, 76 University Drive, Hazleton, PA 18222. *Representation theory of Schur superalgebras in positive characteristic*. Preliminary report.

We describe the present state of the representation theory of Schur superalgebras  $S = S(m|n, r)$  in positive characteristic. The category of (super)modules over a general linear supergroup is a highest weight category (proved by Zubkov) but polynomial (super)modules ((super)modules over Schur superalgebras) do not form a highest weight subcategory. Actually, in positive characteristic, a Schur superalgebra  $S = S(m|n, r)$  is quasi-hereditary if and only if it is semisimple. Explicit descriptions of  $S(1|1, r)$  was used by Hemmer-Kujawa-Nakano to determine the representation type of all superalgebras  $S(m|n, r)$ . The description of highest weights  $\lambda$  of simple modules over  $S$  is not straightforward and was given by Brundan-Kujawa via an algorithm related to Moulineaux conjecture. Highest weights  $\lambda$  corresponding to  $(m|n)$ -hook partitions appear already in characteristic zero case. In that case the corresponding simple modules  $D_\lambda$  were described using (super)bideterminants by Muir. We consider its  $\mathbb{Z}$ -form that can be used to extend part of this combinatorial description to positive characteristic case. (Received January 27, 2008)