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Zsolt Páles and **Vera M Zeidan*** (zeidan@math.msu.edu), Department of Mathematics,
Michigan State University, East Lansing, MI 48824. *Co-Jacobian for Locally Lipschitz Functions in
Infinite Dimension.*

Let X, Y be normed spaces, $\mathcal{D} \subseteq X$ be open and $f : \mathcal{D} \rightarrow Y$ be locally Lipschitz at p . In this talk the *co-Jacobian* of f at p , $\partial^* f(p)$, will be defined as a certain subset of *linear operators* from Y^* to X^* . When the space $L(Y^*, X^*)$ is equipped with a certain topology, $\partial^* f(p)$ enjoys nice properties including the nonemptiness. In addition to presenting characterization of the co-Jacobian, connections with known derivative notions will be given. Such notions are: the Generalized Jacobian that extends Clarke's Jacobian, a type of Thibault limit set and of Ioffe's fan derivative, and Mordukhovich coderivatives. Furthermore, a smooth-nonsmooth and a nonsmooth -smooth chain rules will be provided. (Received August 26, 2008)