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Lex G Oversteegen* (overstee@math.uab.edu), UAB mathematics, Birmingham, AL 35294,
and **Alexander M Blokh**. *Fixed points in non-invariant plane continua.*

If $f : [a, b] \rightarrow \mathbb{R}$, with $a < b$, is continuous and such that $f(a) \geq a$ and $f(b) \leq b$, then f has a fixed point in I . Suppose that $f : \mathbb{C} \rightarrow \mathbb{C}$ is map and X is a continuum. We extend the above for positively oriented maps $f : X \rightarrow \mathbb{C}$ with the continuum X not necessarily invariant. Then we show that in certain cases a holomorphic map $f : \mathbb{C} \rightarrow \mathbb{C}$ must have a fixed point a in a continuum X so that either $a \in \text{Int}(X)$ or f exhibits rotation at a . (Received September 02, 2008)