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P C Fenton and **John F Rossi*** (rossij@vt.edu). *A reverse Denjoy theorem.*

Suppose that C_1 and C_2 are two simple curves joining 0 to ∞ , non-intersecting in the finite plane except at 0 and enclosing a domain D which has angular measure at most 2α ($0 < \alpha < \pi$) for all large r . Suppose also that u is a non-constant subharmonic function in the plane such that $u(z) = B(|z|, u) := \sup\{u(z) : |z| = r\}$ for all large $z \in C_1 \cup C_2$. Let $A_D(r, u) = \inf\{u(z) : z \in D \cap \{|z| = r\}\}$. It is shown that if $A_D(r, u) = O(1)$ then $\liminf_{r \rightarrow \infty} B(r, u)/r^{\pi/(2\alpha)} > 0$. (Received November 20, 2008)