

1051-13-119

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Let (R, \mathfrak{m}, k) be a local domain of dimension one, and let $\mathcal{C}(R)$ denote the class of maximal Cohen-Macaulay (= finitely generated torsion-free) R -modules. Assume that the normalization of R is a finitely generated R -module, that k is infinite, and that $\mathcal{C}(R)$ contains infinitely many isomorphism classes of indecomposable modules. Then, for every positive integer n , $\mathcal{C}(R)$ contains $|k|$ isomorphism classes of indecomposable modules of rank n . The result can fail if the normalization is not finitely generated. (Received August 20, 2009)