

1052-13-73

Kuei-Nuan Lin\* ([link@purdue.edu](mailto:link@purdue.edu)). *Rees Algebras of diagonal ideals.*

Let  $X$  be an  $m$  by  $n$  matrix of variables over a field  $k$ .  $R$  and  $S$  are rings defined by the minors of  $X$ . We consider the diagonal ideal  $\mathbb{D}$ , the kernel of the diagonal map. By the work of Simis-Ulrich, we know the defining equations of special fiber of  $\mathbb{D}$ . When  $R = S$ , the special fiber is known as a homogeneous coordinate ring of secant variety of the determinantal variety  $\mathcal{Z}(\text{Spec}(R))$ . Some of the cases show that the fiber ring is  $k[X]$ . It is nature to ask whether  $\mathbb{D}$  is an ideal of linear type, which means that the natural map from the symmetric algebra of  $\mathbb{D}$ ,  $\text{Sym}(\mathbb{D})$ , onto the Rees algebra of  $\mathbb{D}$ ,  $\mathcal{R}(\mathbb{D})$ , is an isomorphism. We aim at a more refined study of the ideal defining  $\mathcal{R}(\mathbb{D})$ . By knowing the defining equations, we can show that  $\mathcal{R}(\mathbb{D})$  is Cohen-Macaulay and  $\mathbb{D}$  is an ideal of linear type. (Received August 19, 2009)