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**Alexander A. Katz** ([katza@stjohns.edu](mailto:katza@stjohns.edu)), St. John's University, Dep. of Math & CS, 300 Howard Ave., DaSilva 314, Staten Island, NY 10301, **Roman Kushnir\*** ([kushnir\\_roman@yahoo.com](mailto:kushnir_roman@yahoo.com)), University of South Africa, Department of Mathematical Sciences, P.O.Box 392, Pretoria, 0003, South Africa, and **Venera Sh. Mukhamedieva** ([mukhamedieva@farpi.uz](mailto:mukhamedieva@farpi.uz)), Ferghana Polytechnic Institute, Department of Mathematics, 86 Ferghana City, Ferghana, 712000, Uzbekistan. *On decomposition of  $C^*$ -algebras over semifields into continuous fields of  $C^*$ -algebras over Stonean compacts.*

In a previous paper we introduced  $C^*$ -algebras over semifields which are simultaneously Banach-Kantorovich spaces over complex regular universal semifields, and complex  $*$ -algebras with natural axioms similar to the axioms of  $C^*$ -algebras, making those object to be a natural generalization of the category of  $C^*$ -algebras within the category of Banach modules over semifields. It has been as well established there that a continuous field of  $C^*$ -algebras over Stonean compact of the semifield canonically determines a  $C^*$ -algebra over a semifield. In the present sequel we show that each  $C^*$ -algebra over semifield can be naturally decomposed into a continuous field of  $C^*$ -algebras over the Stonean compact of the semifield. (Received July 01, 2009)