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**Oleg R Musin\*** ([oleg.musin@utb.edu](mailto:oleg.musin@utb.edu)), Dept. of Mathematics, UTB, 80 Fort Brown,  
Brownsville, TX. *On rigid Hirzebruch genera.*

The classical multiplicative (Hirzebruch) genera of manifolds have the wonderful property which is called rigidity. Rigidity of a genus  $h$  means that if a compact connected Lie group  $G$  acts on a manifold  $X$ , then the equivariant genus  $h^G(X)$  is independent on  $G$ , i.e.  $h^G(X) = h(X)$ . In this paper we are considering the rigidity problem for complex manifolds. In particular, we are proving that a genus is rigid if and only if it is a generalized Todd genus. (Received September 08, 2009)