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**Alexander Kumjian\*** (alex@unr.edu), Department of Mathematics, MS 084, University of Nevada, Reno, NV 89557, and **Astrid an Huef** and **Aidan Sims**. *Diagonals in Fell algebras*,. Preliminary report.

We say that a  $C^*$ -algebra  $A$  is Fell (or type  $I_0$ ) if it is generated by abelian elements. In this case  $A$  is almost a continuous trace algebra but  $\widehat{A}$  need not be Hausdorff. Such algebras arise naturally in the study of certain dynamical systems. We prove:

- An abelian  $C^*$ -subalgebra  $B$  of a type  $I_0$  algebra  $A$  is a diagonal iff it satisfies the extension property. (i.e. pure states of  $B$  extends uniquely).
- Up to Rieffel-Morita equivalence (RME) each such  $A$  contains a diagonal.
- The twists arising from RME algebras of type  $I_0$  containing diagonals are equivalent in a natural sense.

This opens the door for a classification of such algebras up to RME. (Received September 05, 2009)