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Jill Pipher and Lesley A. Ward\* (Lesley.Ward@unisa.edu.au), School of Mathematics and Statistics, University of South Australia, Mawson Lakes Campus, Mawson Lakes, SA, 5095, Australia, and Xiao Xiao. Geometric-arithmetic averaging of dyadic weights.

The theory of Muckenhoupt weights arises in many areas of analysis, for example in connection with bounds for singular integrals and maximal functions on weighted spaces. We show that a certain averaging process gives a method for constructing  $A_p$  weights from a measurably varying family of dyadic  $A_p$  weights. This averaging process is suggested by the exponential/logarithmic relationship between the  $A_p$  weight class and the space BMO of functions of bounded mean oscillation. The same averaging process also constructs weights satisfying the reverse Hölder  $(RH_p)$  condition from families of dyadic  $RH_p$  weights. Moreover, it applies to the multiparameter weight classes  $A_p$  and  $RH_p$  on the polydisc as well. (Received February 03, 2010)