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Given a graph  $G$ , a well-known problem is to find *the number of the shortest paths* between a pair of vertices in  $G$ . A solution to this counting problem can serve as an important topological property for an interconnection network in terms of strong connectivity, effective fault-tolerance, lower communication cost and desired routing flexibility.

It turns out that the number of the shortest paths between  $v$  and  $e_k$  in an  $(n, k)$ -star graph equals the number of minimum factorizations of  $v$  in terms of  $(n, k)$ -star transpositions, which we enumerate in this talk. (Received February 26, 2010)