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A chronology on a cobordism is a Morse function $f: M \rightarrow I$ which separates critical points. $(1 + 1)$ -cobordisms with chronologies form a category which has a natural structure of a 2-category, where 2-morphisms are given by homotopies (changes) of chronologies. I showed two years ago that for a given tangle diagram we can build a complex in the additive closure of this 2-category from which we can recover both even and odd homology groups. This time I will describe how to introduce dots to chronological cobordisms and a neck-cutting relation. This gives us a natural Abelian framework for the odd construction and may result in fast algorithms to compute odd homologies. Further applications include:

- non-existence of an odd version of the Lie construction
- no analogues of the t and h parameters

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