

1062-30-28

Albert Marden*, School of Mathematics, University of Minnesota, Minneapolis, MN 55455.

Plumbing.

Start with one or two Riemann surfaces which have hyperbolic metrics of finite area: finitely punctured surfaces. Classical plumbing is to choose (i) a pair of the punctures p, q , (ii) small neighborhoods of them, and (iii) cut the neighborhoods out and join their boundaries together, thus creating either a handle, or joining two surfaces together. When this process is done precisely, it depends on an analytic parameter t . For small values of $\text{abs}(t)$, one obtains a holomorphic family $S(t)$ of surfaces. The process can be carried out for any number of puncture-pairs. These surfaces are connected and all have the same topological type. Are they conformally distinct from each other? This is necessary to know if one wants to "open-up" noded surfaces on the boundary of a Teichmueller space. Do the plumbing t -parameters have analytic extensions so as to provide global holomorphic parameters for Teichmueller space?

The answers will be provided in the talk, which will be a short exposition of part of ongoing joint work with Clifford Earle. (Received June 23, 2010)