1019-47-91 Xiang Fang\* (xfang@math.ksu.edu), mathematics department, Kansas State University, manhattan, KS 66502. A canonical isomorphism from a Hilbert module to its sheaf model.
There exists a canonical morphism from a Hilbert module to its sheaf model, which is, in general, neither surjective nor injective. We show that, after taking the so-called *I-adic completion*, the morphism becomes indeed an isomorphism.
Applications: (1) a solution of the semi-continuity problem of the Samuel multiplicity on Hilbert modules; (2) a generalization of the codimension N property on the Hardy space H<sup>2</sup>(D) that is, the codimension of an arbitrary invariant

alization of the codimension-N property on the Hardy space  $H^2(\mathbb{D})$ -that is, the codimension of an *arbitrary* invariant subspace  $\mathcal{M}$  of  $H^2(\mathbb{D}) \otimes \mathbb{C}^N$  is at most N,  $dim(\mathcal{M} \ominus z\mathcal{M}) \leq N$ -to the symmetric Fock space.

Sheaf models and I-adic completion will be illustrated by examples. (Received August 07, 2006)