

Corrections to  
*A Discrete Transition to Advanced Mathematics*  
 Bettina Richmond and Thomas Richmond

Location: Incorrect passage	Corrected passage
<b>Page ii, right column, lines 9–10:</b> Würzburg (2 occurrences)	Würzburg
<b>Page iv, line 11:</b> and ' Chapter 8.	and Chapter 8.
<b>Page 19, #5 (c):</b> $0 \in B.v$	$0 \in B.$
<b>Page 24, #9 (b), third line:</b> {odd natural numbers}.	{odd natural numbers}}.
<b>Page 63, line before 2.2.3 Theorem:</b> ▪ (proof-ending box is too far to the right)	▪
<b>Page 112, 3rd line from bottom:</b> e nding	ending
<b>Page 158, last line, to Page 159, first lines:</b> card. By the Fundamental Principle of Counting, there are	card, and we must divide by 2 to compensate for the order of these last two cards. Thus, there are
<b>Page 159, line 2:</b> $\binom{4}{3} \cdot \binom{48}{1} \cdot \binom{44}{1} = 4 \cdot 48 \cdot 44 = 8448$	$\binom{4}{3} \cdot \binom{48}{1} \cdot \binom{44}{1} \cdot \frac{1}{2} = 4 \cdot 48 \cdot 44 \cdot \frac{1}{2} = 4224$
<b>Page 159, line 5:</b> $= \frac{\binom{4}{3} \cdot \binom{48}{1} \cdot \binom{44}{1}}{\binom{52}{5}} = \frac{8448}{2,598,960} \approx 0.003251.$	$= \frac{\binom{4}{3} \cdot \binom{48}{1} \cdot \binom{44}{1}}{2 \binom{52}{5}} = \frac{4224}{2,598,960} \approx 0.0016243.$
<b>Page 159, lines 8–9:</b> $13(8448) = 109,824$	$13(4224) = 54,912$

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<b>Page 159, line 11:</b> $= \frac{13(8448)}{\binom{52}{5}} = \frac{109,824}{2,598,960} \approx 0.042257.$	$= \frac{13(4224)}{\binom{52}{5}} = \frac{54,912}{2,598,960} \approx 0.0211285.$
<b>Page 159, line 19:</b> approximately 4.2%	approximately 2.1%
<b>Page 194, #1:</b>  1. Use the pigeonhole principle to show that the quasiorder of Example 5.4.3(c) is not a partial order.	1. Modify the quasiorder of Example 5.4.3(c) to $x \preceq y$ if and only if the number of U.S. states visited by $x$ is less than or equal to the number of U.S. states visited by $y$ . Use the pigeonhole principle to show that this quasiorder is not a partial order.
<b>Page 195, #8(b):</b> $(\mathbb{Z}/n)$	$(\mathbb{Z}/p)$
<b>Page 279, #8:</b> $0.\overline{1,234,567}$ .	$0.\overline{1234567}$ .
<b>Page 205, #3:</b> below are one-to-one, neither, or onto both.	below are one-to-one, onto, neither, or both.
<b>Page 205, #4:</b> below are one-to-one, neither, or onto both.	below are one-to-one, onto, neither, or both.
<b>Page 321, line 20:</b> geometric sequence $(b_n)_{n=0}^\infty = (5^n)_{n=0}^\infty$ .	geometric sequence $(a_n)_{n=0}^\infty = (5^n)_{n=0}^\infty$ .
<b>Page 368, §9.4 # 3:</b> $\sum_{k=1}^n$	$\sum_{k=0}^n$

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(continued)

Location: Incorrect passage	Corrected passage
<b>Page 409, Section 1.4, #1 (g):</b> <i>A</i>	<i>H</i>
<b>Page 412, Section 4.1, #6 (b):</b> 8	10