

## Errata

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The official web page of the book:  
<http://www.mat.univie.ac.at/~gerald/ftp/book-schroe/>

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## Errata

Changes appear in yellow. Line  $k+$  (resp., line  $k-$ ) denotes the  $k$ th line from the top (resp., the bottom) of a page.

*Page 25.* Proof of Lemma 0.27:  $A = \{x|f(x) \neq 0\} = \bigcup_n A_n$

*Page 50.* Equation (1.49) should read:

$$\text{s-lim}_{n \rightarrow \infty} A_n = A \quad :\Leftrightarrow \quad A_n \psi \rightarrow A \psi \quad \forall \psi \in \mathfrak{D}(A) \subseteq \mathfrak{D}(A_n). \quad (1.49)$$

*Page 64.* Third example: In particular, if  $A(x)$  is real-valued, then  $A_0$  is essentially self-adjoint

*Page 64.* Last sentence of the third example:  $\mathfrak{D}(A) \subseteq \mathfrak{D}(\overline{A_0})$

*Page 76.* Proof of Lemma 2.16:  $\|R_A(z_n)\varphi_n\| \|\varphi_n\|^{-1} \rightarrow \infty$

*Page 122.* Theorem 4.13:  $\sigma(A) \cap (\lambda_1, \lambda_2) = \{E\}$

*Page 187.* Last paragraph in the proof of Lemma 9.4: Then we have  $\mathfrak{D} \subseteq \mathfrak{D}(A_0^{**}) = \mathfrak{D}(\overline{A_0})$  by (9.7).

*Page 190.* Lemma 9.7: Then there exists a solution  $u_a(z, x)$  of  $(\tau - z)u = 0$  which is in  $L^2((a, c), r dx)$

Page 200. Equation (9.48) should read:

$$S_E(\lambda) = \begin{cases} \|s(E)\|^2, & \lambda = E, \\ 0, & \lambda \neq E. \end{cases} \quad (9.48)$$

Page 207. Second paragraph in Lemma 9.22: Let  $c \in (a, b)$ .

Page 209. Equation (9.88) should read:

$$\varepsilon = (2\|s(\lambda)\|_{(a,x)}\|c(\lambda)\|_{(a,x)})^{-1} \quad (9.88)$$

Page 215. Equation (9.111) should read:

$$\sigma_{ac}(A) = \overline{N_a(\tau) \cup N_b(\tau)}^{ess}. \quad (9.111)$$

Page 215. Equation (9.118) should read:

$$\int_n^{n+1} |q(x)| dx \leq \left( \int_n^{n+1} |q(x)|^2 dx \right)^{1/2}. \quad (9.118)$$