## NOTE ON A PAPER BY MANDELBROJT AND MACLANE

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The results obtained by J. Dufresnoy and J. Ferrand<sup>(1)</sup> enable us to extend Theorems I, II, and III of the preceding paper to more general strip regions.

Let  $g_i(\sigma) > 0$  (i=1, 2) be defined and continuous for  $\sigma \ge a$   $(-\infty \le a < \infty)$  with  $\lim_{\sigma \to \infty} g_i(\sigma) = \pi/2$ . Let

$$S(\sigma) = \pi \int_c^{\sigma} \frac{du}{g_1(u) + g_2(u)}$$

Let  $\Delta_s$  be the domain in the s-plane  $(s=\sigma+it)$  defined by  $-g_1(\sigma) < t < g_2(\sigma)$ .

If  $g_1(\sigma) = g_2(\sigma)$  we have the symmetrical domain considered above.

Lemmas I, II, III, and IV are true for the new domain if we suppose that  $g_1(\sigma)$  and  $g_2(\sigma)$  separately satisfy all the conditions given for  $g(\sigma): g_1(\sigma)$  and  $g_2(\sigma)$  must be of bounded variation<sup>(2)</sup> and satisfy the condition (11),  $|g'_i(\sigma)| < A$ ,  $g'_i(\sigma+h)-g'_i(\sigma) > -Ah$ . The proofs of Theorems I, II, and III are the same, with the new function  $S(\sigma)$ .

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<sup>(\*)</sup> In fact the conclusions hold if this first condition is replaced by  $\int_{0}^{\infty} |g'_{i}(\sigma)|^{2} d\sigma < \infty$ .