## ERRATUM TO "WEAKLY ALMOST PERIODIC FUNCTIONALS ON THE FOURIER ALGEBRA"

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The statement and proof of Theorem 3.8 of [1] are not compatible. The theorem should read:

Theorem 3.8. Let  $\{\phi_n\} \subset \mathcal{L}^{\infty}(\hat{G})$ . If  $\{\phi_n\} \xrightarrow{n} 0$  weakly in  $\mathcal{L}^{\infty}(\hat{G})$ , then  $\sup\{\|\phi_n\|_{\infty}\} < \infty$ , and given  $\epsilon > 0$  there exists a finite number of indices  $l_1, \dots, l_k$  such that for  $g \in E$ ,  $\min\{|\langle g, \phi_{l_i} \rangle| : 1 \le i \le k\} < \epsilon$ .

The original version has been cited, but not used, in [2, Theorem 3.7] and the paragraph before [3, Theorem 3]. To have a necessary and sufficient criterion for sequential weak convergence in  $\mathfrak{L}^{\infty}(\hat{G})$ , one must make the appropriate modification of the definition of quasi-uniform convergence [1, Definition 3.2] to accommodate the proofs; that is, replace 'min{ $\|(\phi_{\lambda_i})_{\alpha} - \phi_{\alpha}\|_{\infty}$ :  $1 \le i \le n$ } <  $\epsilon$  for each  $\alpha \in \hat{G}$ ' by 'min { $|\langle g, \phi_{\lambda_i} - \phi \rangle|$ :  $1 \le i \le n$ } <  $\epsilon$  for each  $g \in E$ ''.

## **BIBLIOGRAPHY**

- 1. C. Dunkl and D. Ramirez, Weakly almost periodic functionals on the Fourier algebra, Trans. Amer. Math. Soc. 185 (1973), 501-514.
- 2. ———, Weakly almost periodic functionals carried by hypercosets, Trans. Amer. Math. Soc. 164 (1972), 427-434. MR 45 #463.
- 3. ——, Subalgebras of the dual of the Fourier algebra of a compact group, Proc. Cambridge Philos. Soc. 71 (1971), 329-333.

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