ERRATUM TO "THE COMPLEXIFICATION AND DIFFERENTIAL STRUCTURE OF A LOCALLY COMPACT GROUP"

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The proof to Proposition 9 contains an error, and in fact the statement of the proposition is false. Proposition 9 was employed in the sequel only to prove the inequality $\|\theta^{\#}\|_{B} \ge |||\theta|||$ of Proposition 10. We presently offer an alternate derivation of this inequality.

Let θ and Ω be as in Proposition 10. For each $\pi \in \Omega$ let β_{π} be the partial unitary element in πW occurring in the polar decomposition: $\theta_{\pi} = \beta_{\pi} \sqrt{\theta_{\pi}^{\sim} \theta_{\pi}}$. Let $\rho \equiv \sum_{\pi \in \Omega} \beta_{\pi}^{\sim}$. Then, by (15), (50), (48), and the fact that $\|\rho\| = 1$,

$$\begin{split} \|\theta^{\#}\|_{B} &= \|F_{\theta^{\#}}\| = \left\| \sum_{\pi \in \Omega} E_{\pi}(\theta_{\pi}) \right\| \geq \rho \left(\sum_{\pi \in \Omega} E_{\pi}(\theta_{\pi}) \right) \\ &= \sum_{\pi \in \Omega} \operatorname{tr}_{\pi} \beta_{\pi}^{\sim} \theta_{\pi} = \sum_{\pi \in \Omega} \operatorname{tr}_{\pi} \sqrt{\theta_{\pi}^{\sim} \theta_{\pi}} = \sum_{\pi \in \Omega} \|\theta_{\pi}\|_{\pi,1} = \||\theta|\|. \end{split}$$

REFERENCES

 Kelly McKennon, The complexification and differential structure of a locally compact group, Trans. Amer. Math. Soc. 267 (1981), 237-258.

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