

**Meeting:** 1007, Santa Barbara, California, SS 6A, Special Session on Geometric Methods in Three Dimensions

1007-57-85            **Sergio R. Fenley\*** ([fenley@math.fsu.edu](mailto:fenley@math.fsu.edu)), Department of Mathematics, Florida State University, Tallahassee, FL 32306. *Asymptotic behavior of foliations*. Preliminary report.

Let  $F$  be a foliation which is almost transverse to a pseudo-Anosov flow  $A$  in a closed 3-manifold  $M$  with negatively curved fundamental group. Suppose that  $A$  is a quasigeodesic flow (uniformly efficient in measuring distance in relative homotopy classes). We prove that, in the universal cover, the lifted leaves of  $F$  extend continuously to the sphere at infinity, giving a continuous parametrization of their limit sets. This applies for instance to every Reebless finite depth foliation in hyperbolic 3-manifolds, which exists whenever the second Betti number of such a manifold is non zero. It also applies to large classes of foliations with all leaves dense and to infinitely many examples with one sided branching. One important tool is a careful analysis of one dimensional singular foliations induced in the leaves of  $F$  or by the stable/unstable foliations of the flow  $A$ . (Received February 03, 2005)