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**George J McNinch\*** (mcninchg@member.ams.org), Department of Math, Tufts University, 503 Boston Ave, Medford, MA 02155. *The existence and descent of Levi factors.*

Let  $G$  be a linear algebraic group over a field  $k$ , and suppose that the geometric unipotent radical  $R$  of  $G$  is defined over  $k$ . A Levi factor of  $G$  is a reductive  $k$ -subgroup  $M$  of  $G$  which is a complement to  $R$ . When the characteristic of  $k$  is positive,  $G$  may fail to have a Levi factor. In this talk, we report on results concerning Levi factors.

For a field extension  $L$  of  $k$ , suppose that the group  $G/L$  obtained by base-change has a Levi factor ("defined over  $L$ "). When  $G$  is connected, it doesn't seem to be known whether  $G$  must have a Levi factor ("defined over  $k$ "), even when  $L$  is a separable (or Galois) extension of  $k$ . In this talk, we describe some conditions which guarantee that  $G$  will have a Levi factor.

Finally, suppose that  $k$  is perfect and that  $G$  is the special fiber of a parahoric group scheme associated with a connected reductive group  $H$  over a local field  $K$ . Some previous work of the speaker showed that  $G$  has a Levi factor whenever  $H$  splits over an unramified extension of  $K$ . Following a suggestion of G. Prasad, we show in some recent work that  $G/L$  has a Levi factor where  $L$  is an algebraic closure of the residue field  $k$ , provided that  $H$  splits over a tamely ramified extension of  $K$ . (Received February 17, 2013)