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**Jonathan Novak\*** ([jnovak@ucsd.edu](mailto:jnovak@ucsd.edu)), 9500 Gilman Drive, La Jolla, CA 92093. *Monotone walks on the symmetric groups.*

Consider the Cayley graph of the symmetric group  $S(d)$ , as generated by the conjugacy class of transpositions. This graph carries a natural edge labelling, the Biane-Stanley edge labelling, in which each edge corresponding to the transposition  $(s t)$  is marked by  $t$ , the larger of the two numbers interchanged. A walk on  $S(d)$  is monotone if the labels of the edges it traverses form a weakly increasing sequence. Given permutations  $\rho, \sigma$  and a nonnegative integer  $r$ , how many monotone  $r$ -step walks are there from  $\rho$  to  $\sigma$ ? We will discuss algebraic and combinatorial approaches to this counting problem, and explain its rather surprising connections to analysis and probability. (Received February 06, 2016)