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**Philipp di Dio** and **Mario Kummer\*** ([mario.kummer@tu-dresden.de](mailto:mario.kummer@tu-dresden.de)). *Carathéodory numbers of high dimensional moment problems.*

Let  $X$  be a real algebraic variety and let  $V$  be a finite dimensional vector space of regular functions on  $X$ . The Carathéodory number is defined to be the smallest integer  $N$  such that for every measure  $\mu$  on  $X$  the linear form on  $V$  that is given by integrating a function against  $\mu$  can be written as a conic combination of at most  $N$  point evaluations on  $X$ . We prove lower bounds on the Carathéodory number and discuss some applications. This is joint work with Philipp di Dio. (Received January 19, 2021)