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◇ Example 8.65: [**5**] Table 6, p.143.
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◇ Theorem 8.77: [**2**] V Théorème 2.12, [**3**] Theorem 13.11.4.

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◇ Theorem 9.40: [**7**] Corollary 4.6.20.
◇ Theorem 3.55(1) (ii) $\Rightarrow$ (i) the case $p \equiv 1 \bmod \ell$: [**8**].

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◇ Proposition 11.25(1): [**14**] Corollary 4.15.
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Appendix B

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Appendix C

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Appendix D

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◇ Jacobians and Néron models: [**19**], [**20**], [**21**]

◇ Curves and their Jacobians: [**18**] Chapter 8.

◇ Abel's theorem: [**18**] Theorem 9.8.6.

◇ Theorem D.3: [**21**] Theorems 8.4/3 and 9.3/1.

◇ Theorem D.7: [**21**] Theorem 8.2/3 and Propositions 9.2/5 and 10.

◇ Theorem D.8: [**21**] Corollary 1.3/1.

◇ Proposition D.12: [**22**], Proposition 6.

◇ Theorem D.17(1) $\ell \neq p$: [**21**] Theorem 7.4/5 (b)⇔(d).

◇ Theorem D.17(2) $\ell \neq p$: [**21**] Theorem 7.4/6.

◇ Theorem D.17(2) $\ell = p$: [**23**] Proposition 5.13.

◇ Theorem D.19(1): [**21**] Theorem 9.5/4, p.267.

◇ Theorem D.19(2): [**21**] Theorem 9.6/1, p.274.