

## CORRIGENDA

RORY THOMPSON, "Evaluation of  $I_n(b) = 2\pi^{-1} \int_0^\infty (\sin x/x)^n \cos(bx)dx$  and of similar integrals," *Math. Comp.*, v. 20, 1966, pp. 330-332.

The right member of the equation at the bottom of p. 331 should read  $(u/(n-2))H_{n-2}(u)$  instead of  $(u/(n-2))H_{n-1}(u)$ .

W. RUSSELL & M. LAL

Memorial University of Newfoundland  
St. John's, Newfoundland

EDITORIAL NOTE: For another correction, see *Math. Comp.*, v. 21, 1967, p. 130.

R. KORTUM & G. McNIEL, *A Table of Periodic Continued Fractions*, RMT 30, *Math. Comp.*, v. 16, 1962, pp. 377-379.

In the table on p. 378, for  $D = 7906$ , read  $D = 7606$ . A reader knowledgeable of the field may be interested in how this typographical error was detected: the erroneous 7906 is a product of three primes  $= 2 \cdot 59 \cdot 67$ , and this would imply a class number too large to allow such a lengthy continued fraction for a  $D$  of this magnitude.

The preceding entry in this table is  $D = 4846$ , and it is now noted that the reviewed table also has an error here. The listed  $x$  and  $y$  on p. 659, for  $x^2 - Dy^2 = 1$ , both end in the digit 9. That is impossible. Apparently the last ten digits of  $x$  and  $y$  were not printed. Here, again, the error was noted by similar considerations: the 61-digit  $x$  shown did not seem large enough for such an extreme value.

D. S.

M. LAL & W. J. BLUNDON, "Solutions of the Diophantine equations  $x^2 + y^2 = l^2$ ,  $y^2 + z^2 = m^2$ ,  $z^2 + x^2 = n^2$ ," *Math. Comp.*, v. 20, 1966, p. 145.

Owing to an improper typographical setup, the table is not as clear as it might be. To improve, draw a horizontal ruling below the solutions  $X = 2163$ ,  $X = 12915$ , and a second ruling below the solutions  $X = 41360$ ,  $X = 131157$ .

D. S.