ERRATA, VOLUME 4

Ernest Michael, *A note on paracompact spaces.*

p. 832, first line of the proof of Lemma 2. For "W^i" read "W_i".

ERRATA, VOLUME 5

C. E. Burgess, *Some theorems on n-homogeneous continua.*

p. 141, lines 9 and 10. For "U_1 and U_2" read "$\overline{U}_1$ and $\overline{U}_2$."

C. S. Hönig, *Proof of the well-ordering of cardinal numbers.*

p. 312, line 7. For "order" read "ordered."

Throughout the paper, for "*pr*" read "pr."

G. M. Muller, *On the indefinite integrals of functions satisfying homogeneous linear differential equations.*

p. 717, display (5). For "$i=0$" read "$i=1$."

p. 717, display (9). For "$uf(z)$" read "$\mathbf{u}f(z)$."

p. 717, paragraph following display (9). For each "j" read "k."

p. 719, line 2. For "$\mu+3+2^\nu$" read "$(\mu+1)/2+_\nu$."

C. W. Curtis, *A note on the representations of nilpotent Lie algebras.*

p. 820. The statement of Theorem 2 (§4) is in error; the statement that appears there should be deleted, and the following statement inserted in its place.

THEOREM 2. *Let $\mathfrak{L}$ be a nilpotent Lie algebra over an arbitrary field K of characteristic $p>0$, let $(a_1, \cdots, a_n)$ be a regular basis for $\mathfrak{L}$, and let $f_1, \cdots, f_n$ be arbitrary irreducible polynomials in $K[X]$. Then there exists an irreducible representation $x\rightarrow U_x$ of $\mathfrak{L}$ such that the minimum polynomial of U_{a_i} is a power of f_i, $1\leqq i\leqq n$. If each f_i is either linear, or splits over the algebraic closure of K as a power of a single linear factor, then the representation U is uniquely determined up to equivalence.*