

ADDENDUM TO "THE RANGE OF A VECTOR MEASURE
HAS THE BANACH-SAKS PROPERTY"

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As pointed out to the author by Professor S. S. Khurana, the use of Eberlein's theorem in the proof of Theorem 2 of (2) is incorrect. The words "By Eberlein's theorem" should be replaced by "By Lemma 3".

3. LEMMA. *The set K is weakly sequentially compact.*

PROOF. Since $L_1(\lambda)$ is weakly compactly generated, it follows from Corollary 2 of Amir and Lindenstrauss (1) that the set P is weak*-sequentially compact. As $K = T(P)$ and the linear map T is continuous relative to the weak*-topology on its domain and the weak topology on its range, the lemma follows.

REFERENCES

1. D. Amir and J. Lindenstrauss, *The structure of weakly compact sets in Banach spaces*, Ann. of Math. (2) **88** (1968), 35–46.
2. R. Anantharaman, *The range of a vector measure has the Banach-Saks property*, Proc. Amer. Math. Soc. **66** (1977), 183–184.

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