

**ERRATUM TO “LIAPOUNOFF’S THEOREM FOR  
NONATOMIC, BOUNDED, FINITELY-ADDITIVE,  
FINITE-DIMENSIONAL, VECTOR-VALUED MEASURES”**

BY

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It is erroneously stated, in the note added in proof on p. 514, that the support of a Radon measure on a quasi- $F$ -space is Stonian. Frederick K. Dashiell gives a counterexample, Example 3.8 on p. 412 of his paper *Nonweakly compact operators from order-Cauchy complete  $C(S)$  lattices, with application to Baire classes*, Trans. Amer. Math. Soc. **266** (1981), 397–413. This counterexample measure is in fact nonatomic.

It is not known whether Liapounoff’s convexity theorem is valid for quasi- $F$ -algebras. It is not known whether it is necessary for the validity of Liapounoff’s convexity theorem on a Boolean algebra  $\mathfrak{B}$  that every nonatomic Radon measure on the Stone space  $X_{\mathfrak{B}}$  must have Stonian support. A characterization of those compact Hausdorff spaces  $X$  (or just the totally disconnected ones) so that every nonatomic measure has Stonian support is not known.

Thomas E. Armstrong and Karel Prikry, *Liapounoff’s theorem for nonatomic, finitely-additive, bounded, finite-dimensional, vector-valued measures*, Trans. Amer. Math. Soc. **266** (1981), 495–514.

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