(31) To better than .0013 over $0 \leqslant y \leqslant 4$,
$q(4,4 - y) \doteq .551(1 + .187y + .055y^2 + .051y^3)^{-4}$.

(32) To better than .0013 over $0 \leqslant y \leqslant \infty$,
$$\lim_{R\to\infty} q(R,R-y) = \int_{-\infty}^{-y} \frac{1}{\sqrt{2\pi}} e^{-\frac{1}{2}t^2} dt \doteq \frac{.5}{(1+.209y+.061y^2+.062y^3)^4}.$$

(33) To better than .0004 over $0 \leqslant R \leqslant 1$,
$q(R,R) \doteq 1 - .4921R^2 + .3212R^4 - .0966R^6$.

(34) To better than .0011 over $1 \leqslant R \leqslant \infty$,
$q(R,R) \doteq (R + .183)/(2R - .388)$.

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