$3^{2^{1023}} + 1$. The residue found by the SWAC has been checked using the modulus $11131 \cdot 2^{12} + 1$ and found to agree.

The writer's SWAC routine has tested all numbers of the form $D = (2k + 1)2^r + 1$ with $D < 2^{36}$ and $k < 2^{15}$ which are possible divisors of Fermat numbers. This took $3\frac{1}{4}$ hours running time.

<div align="right">J. L. SELFRIDGE</div>

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CORRIGENDA

V. 7, p. 114, 1. −1, add footnote, A. W. BURKS, H. H. GOLDSTINE, and J. VON NEUMANN, *Preliminary Discussion of the Logical Design of an Electronic Computing Instrument*, Institute for Advanced Study, June 1946.

V. 7, p. 118, 1. −7, *for* W. S. MACWILLIAMS *read* W. H. MAGWILLIAMS.

V. 7, p. 168, l. −8, −9, *for* 5 *read* .5.