

Computation of All the Amicable Pairs Below 10^{10}

By H. J. J. te Riele

Abstract. An efficient exhaustive numerical search method for amicable pairs is described. With the aid of this method all 1427 amicable pairs with smaller member below 10^{10} have been computed, more than 800 pairs being new. This extends previous exhaustive work below 10^8 by H. Cohen. In three appendices (contained in the supplements section of this issue), various statistics are given, including an ordered list of all the gcd's of the 1427 amicable pairs below 10^{10} (which may be useful in further amicable pair research). Suggested by the numerical results, a theorem of Borho and Hoffmann for constructing APs has been extended.

1. Introduction. Let $\sigma(m)$ denote the sum of all the divisors of m , including 1 and m . An *amicable pair* (AP) is a pair of positive integers (m, n) , $m < n$, such that $\sigma(m) = \sigma(n) = m + n$. We note that m is *abundant* (since $\sigma(m) > 2m$) and that n is *deficient* (since $\sigma(n) < 2n$). The smallest AP is

$$(220, 284) = (2^2 \cdot 5 \cdot 11, 2^2 \cdot 71).$$

In order to check whether or not a given positive integer m is the smaller member of an amicable pair, it seems necessary, at first sight, to compute $\sigma(m)$ and $n := \sigma(m) - m$, to check whether $n > m$ (i.e., whether m is abundant), and, if so, to compute $\sigma(n)$ and compare $\sigma(m)$ with $\sigma(n)$. This involves one or two complete factorizations, in case m is deficient or abundant, respectively. However, a closer look reveals that it is often possible to find out whether a given number m is deficient (hence cannot be the smaller member of an AP) without the need to factorize it completely. Moreover, once $\sigma(m)$ and $n (= \sigma(m) - m)$ have been computed, it is often possible to discover that $\sigma(n) \neq \sigma(m)$ without the need to factorize n completely.

These considerations have guided the design of an efficient exhaustive numerical AP search algorithm, the details of which are given in Section 2. With the aid of this algorithm we have extended Cohen's exhaustive list of all 236 APs with smaller member below 10^8 [4] to all 1427 APs with smaller member below 10^{10} . Of these, 601 have been published earlier [6], [7]. The other 826 seem to be new, and are published here for the first time (9 of them have been communicated to the author already in 1983 and 1984 by Woods (2), Borho (2) and Lee (5)). Section 3 presents details of the computations together with several tables collected from this search. Moreover, a result of Borho and Hoffmann for constructing APs is extended, as was suggested by the numerical tables.

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Three appendices to this paper appear in the supplements section of this issue. These may also be obtained by writing to the author.

In Appendix I, we present the complete list of all 1427 APs with smaller member below 10^{10} ordered according to the size of the smaller members of the pairs. Appendix II displays the same list with a different ordering, viz., according to the various occurring types (defined in Section 3). Finally, Appendix III tabulates all the greatest common divisors of the 1427 APs, in increasing order, together with their frequencies of occurrence, and, for each gcd g , the rank numbers of all the APs (m, n) for which $\text{gcd}(m, n) = g$.

2. Check Whether a Given m is the Smaller Member of an AP. Let p_i be the i th prime, $P_{ij} := \prod_{k=i}^{i+j-1} p_k$, $Q_{ij} := \prod_{k=i}^{i+j-1} p_k / (p_k - 1)$. We start with the following lemma which gives an upper bound for $\sigma(m)/m$.

LEMMA 2.1. *If m only has prime divisors $\geq p_i$ ($i \geq 1$) and if $m < P_{i,j+1}$ ($j \geq 1$) then $\sigma(m)/m < Q_{ij}$.*

Proof. Since $m < P_{i,j+1} = p_i p_{i+1} \cdots p_{i+j}$, and since any prime divisor of m is $\geq p_i$, it follows that m has at most j different prime divisors $\geq p_i$ (otherwise we would have $m \geq p_i p_{i+1} \cdots p_{i+j} = P_{i,j+1}$). This implies that

$$\frac{\sigma(m)}{m} = \prod_{p^e \parallel m} \frac{p^{e+1} - 1}{p^e (p - 1)} = \prod_{p^e \parallel m} \frac{p - p^{-e}}{p - 1} < \prod_{p \mid m} \frac{p}{p - 1} \leq \prod_{k=i}^{i+j-1} \frac{p_k}{p_k - 1} = Q_{ij}. \quad \square$$

In the algorithm below, this lemma is invoked very frequently. Therefore, we require a precomputed table of P - and Q -values, large enough so that the values needed can be found quickly by simple table look-ups.

Now we describe an efficient algorithm to check whether a given positive integer m belongs to an AP (m, n) with $m < n$. This algorithm is based on the observation that when, for given γ and N , we want to verify one of the relations $\sigma(N)/N > \gamma$, $= \gamma$, $< \gamma$, and when the primes $2, 3, \dots, p$ have been tried as divisors of N , it may be possible

(i) to detect, with Lemma 2.1, whether $\sigma(N)/N < \gamma$ by using the information that the *unfactored* portion of N only has prime divisors $> p$, and

(ii) to detect whether $\sigma(N)/N > \gamma$ by using the *factored* portion of N .

In this way, much unnecessary factorization time may be avoided. The price to pay for this gain lies in the time needed to consult the P - and Q -tables used in Lemma 2.1. In the algorithm, the index i_{\max} is the maximum value of i for which Lemma 2.1 is invoked. In order to restrict this table look-up time, i_{\max} should not be chosen too large. The optimal value of i_{\max} also depends on the actual implementation of the algorithm (cf. Section 3).

Algorithm to Check Whether m is the Smaller Member of an AP.

Step 1. (Find out whether m is abundant; in this step, keep $m = m_1 m_2$ where $\text{gcd}(m_1, m_2) = 1$, m_1 is the factored and m_2 is the unfactored portion of m , $\alpha := \sigma(m_1)/m_1$; start with $m_1 := 1$, $m_2 := m$, $\alpha := 1$.)

Start factoring m by trial dividing m_2 by the primes $p_1, p_2, \dots \leq m_2^{1/2}$. In case a prime power divisor p_{i-1}^e ($e \geq 1$) of m_2 has been found, update m_1, m_2 and α ($m_1 := m_1 p_{i-1}^e, m_2 := m/m_1, \alpha := \alpha \cdot \sigma(p_{i-1}^e)/p_{i-1}^e$). After the trial division with p_{i-1} (whether or not p_{i-1} divides m_2): if $\alpha < 2$ and $4 \leq i \leq i_{\max}$, check whether m

is possibly deficient as follows: by inspecting the P -table find the smallest value of j ($=:j^*$) such that $m_2 < P_{i,j+1}$; if $\alpha Q_{i,j^*} < 2$, then STOP (because, in that case, m is deficient: by Lemma 2.1 we have $\sigma(m_2)/m_2 < Q_{i,j^*}$ so that

$$\frac{\sigma(m)}{m} = \frac{\sigma(m_1)}{m_1} \cdot \frac{\sigma(m_2)}{m_2} = \alpha \frac{\sigma(m_2)}{m_2} < \alpha Q_{i,j^*} < 2).$$

If $\alpha \geq 2$, or $i < 4$ or $i > i_{\max}$, the deficiency check on m is left out. After the complete factorization of m (and simultaneous computation of $\sigma(m)$): if $m < \sigma(m) - m =: n$ (i.e., m is abundant), go to Step 2, otherwise STOP.

End of Step 1

Step 2. (Given m , $\sigma(m)$ and $n = \sigma(m) - m$, check whether $\sigma(n) = \sigma(m)$; during the factorization of n try to exclude those m for which $\sigma(n) \neq \sigma(m)$ as early as possible by testing whether $\sigma(n)/n \neq \beta$ where $\beta = \sigma(m)/n$; in this step, keep $n = n_1 n_2$, where $\gcd(n_1, n_2) = 1$, n_1 is the factored and n_2 the unfactored portion of n , $\alpha := \sigma(n_1)/n_1$; start with $n_1 := 1$, $n_2 := n$, $\alpha := 1$.)

Start factoring n by trial dividing n_2 by the primes $p_1, p_2, \dots \leq n_2^{1/2}$. In case a prime power divisor p_{i-1}^e ($e \geq 1$) of n_2 has been found, update n_1, n_2 and α : if the updated α satisfies $\alpha > \beta$, then STOP (because, in that case, we have

$$\frac{\sigma(n)}{n} = \frac{\sigma(n_1)}{n_1} \frac{\sigma(n_2)}{n_2} \geq \frac{\sigma(n_1)}{n_1} = \alpha > \beta = \frac{\sigma(m)}{n},$$

so that $\sigma(n) \neq \sigma(m)$). After the trial division with p_{i-1} (whether or not p_{i-1} divides n_2): if $4 \leq i \leq i_{\max}$ check whether $\sigma(n)/n < \beta$ as follows: by inspecting the P -table find the smallest value of j ($=:j^*$) such that $n_2 < P_{i,j+1}$. If $\alpha Q_{i,j^*} < \beta$, then STOP (because, in that case, $\sigma(n)/n < \beta$: by Lemma 2.1 we have $\sigma(n_2)/n_2 < Q_{i,j^*}$ so that

$$\frac{\sigma(n)}{n} = \frac{\sigma(n_1)}{n_1} \cdot \frac{\sigma(n_2)}{n_2} = \alpha \frac{\sigma(n_2)}{n_2} < \alpha Q_{i,j^*} < \beta).$$

If $i < 4$ or $i > i_{\max}$, the check on $\sigma(n)/n < \beta$ is omitted. After the complete factorization of n (and simultaneous computation of $\sigma(n)$): check whether $\sigma(n) = \sigma(m)$. If so, (m, n) is an AP.

End of Step 2

3. Computing All the APs Below 10^{10} . In order to compute all the APs (m, n) with $m < n$ and $10^8 < m \leq 10^{10}$ (thus extending H. Cohen's computations reported in [4]), we distinguish between $m \equiv 0 \pmod{6}$ (the easy case), and $m \not\equiv 0 \pmod{6}$ (the hard case).

If $m \equiv 0 \pmod{6}$ and $n = \sigma(m) - m$ is even, then (m, n) cannot be an AP [5]. Therefore, n should be odd. In that case, we have [6] $m = 2^\mu M^2$, $n = N^2$, with $\mu \in \mathbb{N}$, M and N being odd. For all the numbers $m = 2^\mu M^2$ with $3 \mid M$ and $10^8 < m \leq 10^{10}$, we computed $n := \sigma(m) - m$ and checked whether n was a perfect square. Not a single such case was found. Computer time was about 6 CPU seconds.

For all $m \not\equiv 0 \pmod{6}$ with $10^8 < m \leq 10^{10}$ we used the algorithm of Section 2 to find all APs in this range. The optimal choice of i_{\max} for our FORTRAN-implementation on a CYBER 750 was about 75. This value was chosen to be fixed for the whole range. The speed-up factor of our program was about 15, compared with a

straightforward program which, given m , computes $\sigma(m)$ and, if $n := \sigma(m) - m > m$, computes $\sigma(n)$. A slight increase of the speed was obtained as follows. In Step 1, in case a prime (power) factor of m_2 was found and m_1 and $\sigma(m_1)$ (among others) were updated, it was checked whether *both* m_1 and $\sigma(m_1)$ were divisible by one of the primitive abundant numbers $20 = 2^2 \cdot 5$, $28 = 2^2 \cdot 7$, $70 = 2 \cdot 5 \cdot 7$ and $88 = 2^3 \cdot 11$. If so, the algorithm was stopped since this implied that also m and $\sigma(m)$, hence also $n = \sigma(m) - m$ were divisible by this abundant number, so that both m and n were abundant. This is impossible for an AP (m, n) .

The total time to cover the range $10^8 < m \leq 10^{10}$ was about 1000 (low priority) CPU hours, spent in the last seven months of 1984.

The total number of APs (m, n) found with $m < n$ and $10^8 < m \leq 10^{10}$ was 1191. In Appendix I (of the supplements section) all the APs with smaller member $\leq 10^{10}$ are given (including the 236 APs with smaller member $\leq 10^8$). For each pair we list the decimal representation and the prime factorization of the members, a rank number, a code (letter plus digit) referring to the discoverer, and the type of the pair (defined below). For example, pair #1427 reads as follows:

1427	9967523980	2E2.257.5.17.37.3083
R942	12890541236	2E2.257.107.117191.

Table 1 gives the meaning of the codes, and their frequencies of occurrence. Extensive information about the sources of the pairs with code L1 is given in the survey paper [6].

There are 1015 pairs with even members and 412 with odd members. The minimal and maximal values of m/n are 0.6979 and 0.999858 for the APs #567 and #1010, respectively.

Let $A(x)$ be the number of APs (m, n) with $m < n$ and $m \leq x$. From the list of APs with $m \leq 10^8$, Bratley et al. [3] concluded that for $x \leq 10^8$, $A(x)$ is approximately proportional to $x^{1/2}/\ln(x)$. In Table 2 we give, for $x = k \cdot 10^9$ ($1 \leq k \leq 10$): $A(x)$, $A(x)\ln(x)/x^{1/2}$, $A(x)(\ln(x))^2/x^{1/2}$ and $A(x)(\ln(x))^3/x^{1/2}$. From these figures we may draw the conclusion that for $x \leq 10^{10}$, $A(x)$ is approximately proportional to $x^{1/2}/(\ln(x))^3$.

TABLE 1

Status list of the first 1427 APs (m, n) , $m < n$, with $m \leq 10^{10}$

code	# APs	references and remarks
L1	508	[6]
R2	1	[9] (#1056)
W1	73	sent to the author by D. Woods on June 29, 1982 and published in [7]
R3	19	found by the author with the methods described in [8], and published in [7]
W2	1	sent in by D. Woods on Feb. 16, 1983 (#330)
R6	1	found by the author in May, 1983 (#1375)
W3	1	sent in by D. Woods on July 11, 1983 (#1050)
L2	5	sent in by E. J. Lee in July, 1984 (# #778, 860, 894, 1241, 1261)
B4	2	sent in by W. Borho on Nov. 2, 1984 (# #809, 1393)
R9	816	found by the author during the systematic search described in this paper

TABLE 2

Comparison of $A(x)$ with $x^{1/2}/(\ln(x))^i$, $i = 1, 2, 3$

$x/10^9$	$A(x)$	$A(x)\ln(x)/x^{1/2}$	$A(x)(\ln(x))^2/x^{1/2}$	$A(x)(\ln(x))^3/x^{1/2}$
1	586	0.3840	7.958	164.9
2	762	0.3649	7.815	167.4
3	898	0.3578	7.807	170.4
4	1009	0.3527	7.799	172.4
5	1100	0.3474	7.759	173.3
6	1185	0.3444	7.755	174.6
7	1256	0.3403	7.715	174.9
8	1317	0.3358	7.656	174.6
9	1377	0.3327	7.625	174.8
10	1427	0.3286	7.566	174.2

We define an AP (m, n) , $m < n$, to be a *regular amicable pair of type (i, j)* , if $(m, n) = (gM, gN)$, where $g = \gcd(m, n)$, $\gcd(g, M) = \gcd(g, N) = 1$, M and N are squarefree, and the numbers of prime factors of M and N are i and j , respectively. Other pairs are called *irregular* or *exotic*. There are 1082 regular and 345 irregular APs with smaller member $\leq 10^{10}$. It is easy to see that there are no regular pairs of type $(1, j)$, $j \geq 1$: let g be the gcd of such an AP, so that $(m, n) = (gp, gN)$ where p is a prime and $\gcd(g, p) = \gcd(g, N) = 1$. We have $m < n$, hence $p < N$. By definition, $\sigma(gp) = \sigma(gN)$, implying that $p + 1 = \sigma(N)$. Since, for any $N \in \mathbb{N}$, $\sigma(N) > N$, this implies that $p + 1 > N$, a contradiction. We note that in this argument N need not be squarefree.

In Table 3 we give the frequency distribution of the various types among the first 1082 regular APs. We note that there are relatively few regular APs of type $(i, 1)$, $i \geq 2$, and of type (i, j) with $i < j$.

In [7] the total number of known APs with smaller member $\leq 10^{10}$ was 601 (these are the APs belonging to the first four codes in Table 1). Among them were 104 irregular APs, i.e., 17.3%. Comparing this figure with the 345 irregular APs in our *complete* list of APs with smaller member $\leq 10^{10}$, i.e., 24.2%, we see that relatively many irregular APs were found in our systematic search.

In Appendix II (of the supplements section) we present lists of all the 1082 regular APs arranged according to their types, together with a list of the 345 exotic APs. This appendix may be useful for searches of APs of a special type.

The regular pairs of type $(i, 1)$, $i \geq 2$, play an important role as “mother” pairs in methods to generate new APs from given pairs. In [8] a substantial part of the new APs found there was constructed from such mother pairs. In [1], Borho and Hoffmann have partially generalized the methods from [8] by introducing the concept of a *breeder*: a breeder is a pair of positive integers (a_1, a_2) such that the equations

$$a_1 + a_2x = \sigma(a_1) = \sigma(a_2)(x + 1)$$

TABLE 3
*Frequency distribution of the first 1082 regular APs
of type (i, j), i ≥ 2, j ≥ 1*

<i>i</i> =	<i>j</i> =	1	2	3	4	5	row totals
2		20	67	21	4	0	112
3		16	271	280	24	0	591
4		1	78	201	63	2	345
5		0	6	18	7	3	34
column totals		37	422	520	98	5	1082

have a positive integer solution x . If x is a prime, then (a_1, a_2x) is an amicable pair. For certain breeders, called “special” breeders, Borho and Hoffmann formulate the following

THEOREM 1 [1]. *Let (a_1, a_2) be a special breeder, i.e., $a_1 = au$, $a_2 = a$, with $\gcd(a, u) = 1$. Take any factorization of $C := \sigma(u)(u + \sigma(u) - 1)$ into two different factors D_1, D_2 ($C = D_1D_2$). Then, if the numbers $s_i = D_i + \sigma(u) - 1$, for $i = 1, 2$, and also $q = u + s_1 + s_2$ are primes not dividing a , then (auq, as_1s_2) is an amicable pair. □*

Regular APs of type $(i, 1)$, $i \geq 2$, are of the form (au, ap) , p prime, and the numbers (au, a) are special breeders which generally produce many APs with the above theorem.

In our list of 1427 APs we found a few APs, e.g., #647 and #955, which suggested that the condition $\gcd(a, u) = 1$ in Theorem 1 may be dropped. In fact, we have

THEOREM 2. *Let (au, a) be a breeder, i.e., there exists a positive integer x such that $au + ax = \sigma(au) = \sigma(a)(x + 1)$. Take any factorization of $C := (x + 1)(x + u)$ into two different factors D_1, D_2 ($C = D_1D_2$). Then, if the numbers $s_i = D_i + x$, for $i = 1, 2$, and also $q = u + s_1 + s_2$ are primes not dividing a , then (auq, as_1s_2) is an amicable pair. □*

The proof of this theorem is left to the reader.

If $\gcd(a, u) = 1$, then $\sigma(au) = \sigma(a)\sigma(u)$, so that $x = \sigma(u) - 1$ and Theorem 2 reduces to Theorem 1. As an example, AP #955 gives the breeder (au, a) with $a = 3.5.7.19$ and $u = 7.29.47.181$. Theorem 2 yields 16 new APs with this breeder as input.

It is known [5] that most even APs have a pair sum which is $\equiv 0 \pmod{9}$. Our search proves that indeed Poulet’s pair #503: $(2^4331.19.6619, 2^4331.199.661)$ is the smallest exceptional pair. All known exceptional pairs had members $\equiv 7 \pmod{9}$ and a pair sum $\equiv 5 \pmod{9}$. In our search, we found two even APs with pair sum $\equiv 3 \pmod{9}$, viz., the (irregular) pairs:

$$\#577: 2^4 \left\{ \begin{array}{l} 19^2 103.1627 \\ 3847.16763 \end{array} \right. \quad \text{and} \quad \#874: 2^2 19 \left\{ \begin{array}{l} 13^2 37.43.139 \\ 41.151.6709. \end{array} \right.$$

These are the first two examples of APs of the form described in [5, Theorem I, case (b)] (also cf. the remarks immediately following Table I in [5]). Table 4 gives the rank numbers of the 17 APs with smaller member $\leq 10^{10}$ whose pair sum is $\not\equiv 0 \pmod{9}$, divided into even and odd pairs, and regular and irregular pairs.

Another question, suggested by Professor C. Pomerance, is whether pairs, triples, quadruples, etc. of APs exist having the *same pair sum*. Among the first 1427 APs, we found 37 such pairs of APs, but no such triples, quadruples, etc. Table 5 gives the rank numbers of these pairs of APs, and the prime factorization of their pair sums. The pair sums only have prime divisors ≤ 37 . In 30 of the 37 cases at least one member of the pair was found during the exhaustive search described in the present paper.

In Appendix III (of the supplements section) we tabulate all the greatest common divisors of the first 1427 APs, ordered according to their size, with frequencies, and with the rank numbers of all the APs corresponding to a given gcd. This might be useful in further searches for special APs, and in searches for so-called *isotopic* APs (cf., [6, p. 83]). For example, new APs, isotopic with APs from the list of 1427 APs, are obtained by replacing the common factor $3^3 5$ in # 882 and 1087 by $3^2 7 \cdot 13$, by replacing the common factor $3^3 5^3$ in # 1205 by $3^2 5^2 31$, and by replacing the common factor $3^3 5^2 31$ in # 717 and 1228 by $3^6 5 \cdot 23 \cdot 137 \cdot 547 \cdot 1093$, and by $3^{10} 5 \cdot 23 \cdot 107 \cdot 3851$.

In [8], we have presented methods to find new APs from known APs. By applying these methods to the new APs among the first 1427 APs, we have found 117 new APs (with smaller member $> 10^{10}$). The new APs were found mainly from mother pairs having a relatively simple structure, like those of type $(i, 1)$, $i > 1$. They will be published in a forthcoming report [2], together with many other new amicable pairs.

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Supplement to Computation of All the Amicable Pairs Below 10^{10}

By H. J. J. te Riele

Appendix I

The first 1427 APs

1	220	2E2.5.11	3D	31	600392	2E3.13.23.251	6D	
L1	21	284	2E2.71	L1	32	669688	2E3.97.863	
2	1184	2E5.37		32	609928	2E3.11.29.239		
L1	X	1210	2.5.11E2	L1	32	686072	2E3.191.449	
3	2620	2E2.5.131		33	624184	2E3.11.41.173		
L1	22	2924	2E2.17.43	L1	32	691256	2E3.71.1217	
4	5020	2E2.5.251		34	635624	2E3.11.31.233		
L1	22	5564	2E2.13.107	L1	32	712216	2E3.127.701	
5	6232	2E3.19.41		35	643336	2E3.29.47.59		
L1	X	6368	2E5.199	L1	32	652664	2E3.17.4799	
6	10744	2E3.17.79		36	667964	2E2.11.17.19.47		
L1	22	10856	2E3.23.59	L1	43	783556	2E2.31.71.89	
7	12285	3E3.5.7.13		37	726184	2E3.17.19.281		
L1	X	14595	3.5.7.139	L1	32	796696	2E3.53.1879	
8	17296	2E4.23.47		38	802725	3.5E2.7.11.139		
L1	21	18416	2E4.1151	L1	X	863835	3.5.7.19.433	
9	63020	2E2.23.5.137		39	879712	2E5.37.743		
L1	21	76084	2E2.23.827	L1	X	901424	2E4.53.1063	
10	66928	2E4.47.89		40	898216	2E3.11.59.173		
L1	22	66992	2E4.53.79	L1	32	980984	2E3.47.2609	
11	67095	3E3.5.7.71		41	947835	3E3.5.7.17.59		
L1	22	71145	3E3.5.17.31	L1	32	1125765	3E3.5.31.269	
12	69615	3E2.7.13.5.17		42	998104	2E3.17.41.179		
L1	21	87633	3E2.7.13.107	L1	32	1043096	2E3.23.5669	
13	79750	2.5E3.11.29		43	1077890	2.5.11.41.239		
L1	X	88730	2.5.19.467	L1	33	1099900	2.5.17.29.223	
14	100405	3E2.5.7.11.29		44	1154450	2.5E2.11.2099		
L1	32	124155	3E2.5.31.89	L1	22	1189150	2.5E2.17.1399	
15	122265	3E2.5.13.11.19		45	1156870	2.5.11.13.809		
L1	21	139815	3E2.5.13.239	L1	32	1292570	2.5.19.6803	
16	122368	2E9.239		46	1175265	3E2.7E2.13.5.41		
L1	X	123152	2E4.43.179	L1	21	1438983	3E2.7E2.13.251	
17	141664	2E5.19.233		47	1185376	2E5.17.2179		
L1	X	153176	2E3.41.467	L1	X	1286744	2E3.41.3923	
18	142310	2.5.7.19.107		48	1280565	3E2.5.13.11.199		
L1	32	160730	2.5.47.359	L1	22	1340235	3E2.5.13.29.79	
19	171856	2E4.23.467		49	1328470	2.5.11.13.929		
L1	22	176336	2E4.103.107	L1	X	1483850	2.5E2.59.503	
20	176272	2E4.23.479		50	1358595	3E2.5.19.7.227		
L1	22	180848	2E4.89.127	L1	22	1486845	3E2.5.19.37.47	
21	185368	2E3.17.29.47		51	1392368	2E4.17.5119		
L1	32	203432	2E3.59.431	L1	22	1464592	2E4.239.383	
22	196724	2E2.11.17.263		52	1466150	2.5E2.7.59.71		
L1	22	202444	2E2.11.43.107	L1	X	1747930	2.5.47.3719	
23	280540	2E2.5.13E2.83		53	1468324	2E2.11.13.17.151		
L1	X	365084	2E2.107.853	L1	43	1749212	2E2.37.53.223	
24	308620	2E2.5.13.1107		54	1511930	2.5.7.21599		
L1	32	389924	2E2.43.2267	L1	23	1598470	2.5.19.47.179	
25	319550	2.7.5E2.11.83		55	1669910	2.5.11.17.19.47		
L1	X	430402	2.7.71.433	L1	42	2062570	2.5.239.863	
26	356408	2E3.13.23.149		56	1798875	3E3.5E3.13.41		
L1	32	399592	2E3.199.251	L1	X	1870245	3E2.5.13.23.139	
27	437456	2E4.19.1439		57	2082464	2E5.59.1103		
L1	22	455344	2E4.149.191	L1	22	2090656	2E5.79.827	
28	469028	2E2.7E2.2393		58	2236570	2.5.7.89.359		
L1	X	486178	2.7E2.11E2.41	L1	33	2429030	2.5.23.59.179	
29	503056	2E4.23.1367		59	2652728	2E3.13.23.1109		
L1	22	514736	2E4.53.607	L1	32	2941672	2E3.71.5179	
30	522405	3E2.5.13.19.47		60	2723792	2E4.37.43.107		
L1	22	525915	3E2.5.13.29.31	L1	32	2874064	2E4.263.683	

1381 9029724795 3E2.7.13.5.31.83.857
 R9 43 1118146949 3E2.7.13.7.11.263.727
 L132 905633184 2E5.67.383.11027
 L133 905633184 2E5.67.383.11027
 1383 9070849152 2E5.53.37.84439
 R9 32 934340768 2E5.971.300719
 1384 9075291470 2.7E2.5.23.43.61.307
 R9 X 11614384306 2.7.41.113.241.743
 1385 9083125275 3.5E2.7.19.139.6551
 R9 33 9115709925 3.5E2.7.29.47.12739
 1386 9086970310 2.5.53.11.89.211
 R9 43 9087135770 2.5.53.17.19.1483
 R9 32 945740725 3.2.7E2.19.47.83.167
 R9 37 945740725 3.2.7E2.19.47.83.167
 1388 9104066372 2E5.79.113.31650
 R9 33 9284512224 2E5.179.227.7079
 1389 9136521225 3E3.5E2.13.17.73.839
 R9 43 1028723575 3E3.5E2.59.97.2663
 1390 9153086085 3E2.5.13.11.37E2.1039
 R9 X 1002175035 3E2.5.13.47.389.937
 1391 9159369024 2E5.53.241.22409
 L1302 920828415 2E3.17.4157.16433
 L1303 920828415 2E3.17.4157.16433
 R9 44 10380656175 3.5E2.19.71.7E2.607
 1393 9173012056 2E3.13.8689.10151
 B4 33 9353372744 2E3.19.281.218987
 1394 9208001010 2.5.7E3.109.24623
 R9 X 10296406900 2.5.37.53.191.2749
 1395 9225491168 2E5.83.151.23003
 R9 33 9278583368 2E5.113.251.10223
 L1306 9251680032 2E5.67.1179.24107
 L1307 9251680032 2E5.67.11729.2351
 L1 22 9253652485 1.5.7.11.449.17869
 1398 9262239250 2.5E3.11.1783.1809
 R9 X 9673564910 2.5.17.47.181.6689
 1399 9271316500 2E2.5E3.53.271.1291
 R9 X 11451453932 2E2.47.101.683.883
 1400 9286443650 2.5E2.11.59.419.683
 R9 44 9469251590 2.5E2.53.113.149.223
 R9 43 9474564708 2.5.13.29.53.181.257
 1402 9303632300 2.5.13.29.11907989
 R9 33 9518953210 2.5.13.59.359.3457
 1403 9307848630 2.11.5.43.313.6287
 R9 44 9457161098 2.11.7.17.523.6907
 1404 9344815064 2E3.13.59.659.2311
 R9 44 9881776936 2E3.67.79.109.2141
 1405 935724877 3E2.7E3.13.11E2.41.47
 R9 46 102493523 3E5.7E3.13.83.113
 R9 54 106511366 2E2.11.47.23083.2549
 1407 9408690824 2E3.13.41.59.149.251
 R9 53 10595069176 2E3.167.1259.6299
 1408 9449054312 2E3.19.71.139.6299
 R9 44 9602145688 2E3.29.59.179.3919
 1409 9490622048 2E5.61.4861999
 L1 X 9500349952 2E9.4079.4549
 1410 9535950765 3E2.5.11.23.31.41.659
 R9 43 10390515795 3E2.5.11.127.197.839
 1411 954901568 2E7.37.101.19963
 R9 41 95616562 2E3.18.59.1060407
 1412 958173976 2E3.19.151.591407
 W1 23 964987024 2E3.19.151.591407
 1413 961675744 2E6.83.311.57311
 W1 32 9760750144 2E6.2351.64871
 1414 9703910930 2.7.17.15.47.173501
 L1 32 11882513902 2.7.17.11223.40823
 1415 9723953488 2E4.23.89.307.967
 R9 43 10240608752 2E4.26.51.461.5279
 L1304 10240608752 2E4.26.51.461.5279
 L1305 10240608752 2E4.26.51.461.5279
 1417 9818566568 2E3.13E2.28479.1399
 R9 X 10933693432 2E3.89.1049.14639
 1418 9834708295 3E2.5.11.19.139.7523
 L1 22 9884118915 3E2.5.11.17.9.139.479
 1419 9836011130 2.5.11.17.9.139.479
 R9 54 10665876870 2.5.31.107.149.2239
 1420 9844469775 3E2.5E2.7.21.29.9371
 R9 41 9850566885 3E2.5.19.591.14057
 R9 33 1009553352 2E3.31.61.251.2659
 1422 987558210 2.5.29.7.233.20879
 R9 33 11231616190 2.5.29.239.347.467
 1423 9880655085 3E2.5.7.17.233.7919
 R9 X 10933585875 3E2.5E3.19.431.1187
 1424 9881488304 2E4.29.47.109.4157
 R9 42 10535954096 2E4.5279.124739
 1425 988587430 2.5.11.47.191.10009
 1426 988587430 2.5.11.47.191.10009
 R9 33 994662072 2E3.19.113.659.483
 1427 9967523980 2E2.257.5.17.37.3083
 R9 42 12890541236 2E2.257.107.117191

Appendix II

The first 1427 APs ordered according to the various occurring types

AMICABLE PAIRS OF TYPE (2,1):

1 220 2E2.5.11
 L1 21 284 2E2.71
 8 17296 2E4.23.47
 L1 21 18416 2E4.1151
 9 63020 2E2.23.5.137
 L1 21 76084 2E2.23.827
 12 69615 3E2.7.13.5.17
 L1 21 87633 3E2.7.13.107
 15 122265 3E2.5.13.11.19
 L1 21 139815 3E2.5.13.239
 46 1175265 3E2.7E2.13.5.41
 L1 21 1438983 3E2.7E2.13.251
 104 9363584 2E7.191.383
 L1 21 9437056 2E7.73727
 117 11498355 3E4.5.11.29.89
 L1 21 12024045 3E4.5.11.2699
 162 31536855 3E2.5.7.53.1889
 L1 21 32148585 3E2.5.7.102059
 291 175032884 2E2.13.17.389.509
 L1 21 175826716 2E2.13.17.198899
 297 183408615 3E2.5.13.19.29.569
 L1 21 190055385 3E2.5.13.19.17099
 303 196421715 3E2.5.19.37.7.887
 L1 21 224703485 3E2.5.19.37.7103
 460 536637465 3E2.7E2.13.97.5.193
 L1 21 646745463 3E2.7E2.13.97.1163
 629 1191953763 3E2.7E2.11.13.41.461
 L1 21 1223611389 3E2.7E2.11.13.19403
 640 1225052829 3E4.7.11.29.13.521
 L1 21 1321639011 3E4.7.11.29.7307
 792 2172649216 2E8.257.33023
 L1 21 2181168896 2E8.8520191
 888 2935281375 3E3.5E3.13.149.449
 L1 21 2961518625 3E3.5E3.13.67499
 1030 4149106335 3E4.5.11E3.43.179
 L1 21 4268776545 3E4.5.11E3.7919
 1191 6066248175 3E2.5E2.13.31.149.449
 L1 21 6120471825 3E2.5E2.13.31.67499
 1219 6370495978 2.7E2.19.23.11.13523
 L1 21 6950103062 2.7E2.19.23.162287
 TOTAL NUMBER: 20

AMICABLE PAIRS OF TYPE (3,1):

86 6955216 2E4.19.137.167
 L1 31 7418864 2E4.463679
 151 23358248 2E3.37.23.47.73
 L1 31 25233112 2E3.37.85247
 164 32205616 2E4.17.167.709
 L1 31 34352624 2E4.2147039
 196 52695376 2E4.17.151.1283
 L1 31 56208368 2E4.3513023
 270 147366765 3E2.7E2.13.5.53.97
 L1 31 182028483 3E2.7E2.13.31751
 312 205843365 3E2.7E2.13.5.43.167
 L1 31 254264283 3E2.7E2.13.44351
 390 347263216 2E4.17.137.9319
 L1 31 370414064 2E4.23150879
 446 492275992 2E3.131.13.23.1571
 R9 31 553544168 2E3.131.528191
 648 1254255550 2.5E2.23.19.137.419
 R9 31 1333078850 2.5E2.23.1159199
 661 1309651310 2.5.11.29.571.719
 R9 31 1359071890 2.5.11.12355199
 753 1957374968 2E3.31.17.107.4339
 L1 31 2092365832 2E3.31.8436959
 782 2115211995 3E3.5.13.17.31.2287
 R9 31 2312891685 3E3.5.13.1317887
 979 3693013664 2E5.41.131.21487
 L1 31 3812143072 2E5.119129471
 1009 3986534090 2.5.929.7.11.5573
 L1 31 4971106870 2.5.929.535103
 1228 6562770525 3E3.5E2.31.17.19.971
 R9 31 7322055075 3E3.5E2.31.349919
 1300 7696871576 2E3.19.53.127.7523
 R9 31 7904894824 2E3.19.52005887

TOTAL NUMBER: 16

AMICABLE PAIRS OF TYPE (4,1):

779 2099442345 3.5.7.11.13.37.3779
 L1 41 2533809495 3.5.7.24131519

TOTAL NUMBER: 1

AMICABLE PAIRS OF TYPE (2,2):

- L1 3 2620 2E2.5.13.1
- L1 22 5628 2E2.5.25.1
- L1 22 5564 2E2.13.107
- L1 6 10744 2E3.17.79
- L1 22 10856 2E3.23.59
- L1 10 66928 2E4.47.89
- L1 22 66992 2E4.53.79
- L1 11 67095 3E3.5.7.71
- L1 9 119336 3E3.5.17.31
- L1 9 119336 3E4.103.107
- L1 26 176272 3E4.23.479
- L1 22 180648 3E4.89.127
- L1 22 180674 2E2.11.17.263
- L1 22 202444 2E2.11.43.107
- L1 27 437456 2E4.19.1439
- L1 22 455344 2E4.149.191
- L1 29 503956 2E4.23.1367
- L1 22 514736 2E4.53.607
- L1 30 528095 3E2.5.13.79.31
- L1 44 1154450 2.5E2.11.2099
- L1 22 1189150 2.5E2.17.1399
- L1 48 1208565 3E2.5.13.11.1199
- L1 22 1348235 3E2.5.13.29.79
- L1 22 1486845 3E2.5.19.37.47
- L1 51 1392368 2E4.17.5119
- L1 22 1464592 2E4.239.383
- L1 27 2084464 2E5.79.837
- L1 63 2082416 2E4.17.16303
- L1 22 6347175 2E4.167.1103
- L1 85 6377175 3E2.5E2.7.4049
- L1 22 6680025 3E2.5E2.11.2699
- L1 22 7158710 2.5.13.23.2339
- L1 22 7677248 2E6.139.863
- L1 22 7684672 2E6.167.719
- L1 20 9069555 3E2.5.31.11.619
- L1 101 9198436 3E2.29.19.2087
- L1 22 9592504 2E3.29.173.239
- L1 109 10254970 2.5.11.59.1759
- L1 22 10273670 2.5.11.59.1583
- L1 22 10854650 2.5E2.31.47.149
- L1 125 13921528 2E3.19.67.1367
- L1 22 1482064 2E5.37.12671
- L1 22 1534304 2E5.27.2111
- L1 139 17908064 2E5.53.10559
- L1 22 18017056 2E5.79.7127
- L1 49 22508145 3E3.5.11.23.659
- L1 22 23111055 3E3.5.11.79.197
- L1 197 50655872 2E6.79.10807
- L1 22 56598208 2E6.383.2309

AMICABLE PAIRS OF TYPE (3,2):

- 1090 4092008692 2E2.11.1.109.13.76479
- L1 182 5083596512 2E5.79.227.10427
- L1 22 5094456848 2E5.79.631.3761
- L1 1199 6143533695 3E4.5.13.17.68639
- L1 22 6414291595 3E4.5.13.17.17159
- L1 22 6478496595 3E2.5.17.19.37.12239
- L1 22 6582073005 3E2.5.17.19.37.12239
- L1 22 7083639225 3E2.5E2.13E2.17.10399
- L1 259 7074650624 2E9.947.145911
- L1 392 927732715 2E5.7.367.347.23099
- L1 32 939592 3E3.13.23.251
- L1 31 600392 2E3.13.23.251
- L1 32 669688 2E3.97.863
- L1 32 609928 2E3.11.29.239
- L1 32 684072 2E3.11.41.449
- L1 33 624184 2E3.11.41.173
- L1 32 691256 2E3.71.1217
- L1 34 635624 2E3.11.31.233
- L1 32 64216 2E3.26.47059
- L1 32 652664 2E3.17.4799
- L1 37 726104 2E3.17.19.281
- L1 32 796696 2E3.53.1879
- L1 40 898216 2E3.11.59.173
- L1 32 980984 2E3.47.2609
- L1 41 947835 3E3.5.7.17.59
- L1 32 1125765 3E3.5.31.269
- L1 32 104804 2E3.23.56679
- L1 45 1156870 2.5.11.13.809
- L1 32 1292570 2.5.19.6803
- L1 59 2652728 2E3.13.23.1109
- L1 32 2941672 2E3.71.5179
- L1 60 2723792 2E4.37.43.107
- L1 32 2874064 2E4.263.683
- L1 32 2928136 2E3.31.1309619
- L1 32 3721546 2E3.647.719
- L1 37 3769304 2E3.11.23.1871
- L1 32 4300136 2E3.467.1151
- L1 68 3005264 2E4.29.59.139
- L1 32 4066736 2E4.179.1399
- L1 76 5147032 2E3.11.23.2543
- L1 32 5843048 2E3.383.1907
- L1 5726072 2E3.11.31.2099
- L1 32 7597528 2E5.73.10731.599
- L1 82 8493050 2.5E2.59.2079
- L1 88 8754130 2.5.7.11.11369
- L1 32 10893230 2.5.757.1439
- L1 114 10992735 3E2.5.13.19.23.43
- L1 32 12670305 2E4.5.13.47.439
- L1 118 11545616 2E4.19.163.233
- L1 32 12247504 2E4.491.1559
- L1 21 12397552 2E4.236.5271
- L1 136 14650368 2E3.53.28171
- L1 32 16817050 2.5E2.7.149.281

TOTAL NUMBER: 67

700 1577617335 382.5.7.137.139.263
 W1 32 1605082185 382.5.7.1439.3541
 704 1607096972 283.23.37.59.4009
 R9 32 1677751928 283.23.2208.4131
 710 1667890644 285.37.223.6317
 R9 32 1728197564 285.25.991.2837
 R9 32 1741985325 382.5.2.31.17.58.83
 R9 32 1751784452 382.5.2.31.17.58.83
 R9 32 1752563352 382.5.2.31.17.58.83
 R9 32 1753141519 382.5.2.31.17.58.83
 R9 32 1809881650 2.5.2.31.17.58.83
 R9 32 1809881650 2.5.2.31.17.58.83
 740 1874188890 2.5.19.11.51.71999
 L1 32 2065651310 2.5.19.11.51.71999
 741 1887962637 382.5.107.7.29.641
 R9 32 2114126865 382.5.107.7.29.641
 743 1892277387 382.7.11.13.41.47.109
 R9 32 1983233333 382.7.11.13.41.47.109
 R9 32 1983233333 382.7.11.13.41.47.109
 747 1917053352 283.53.11.13.139.1583
 R9 32 1917053352 283.53.11.13.139.1583
 757 1981613584 285.59.71.147831
 R9 32 1981613584 285.59.71.147831
 760 1998939225 383.582.31.17.29.193
 L1 32 2165889325 383.582.31.17.29.193
 761 1991349664 285.41.251.6847
 L1 32 2041408854 285.41.251.6847
 768 204024987 383.782.11.13.41.263
 L1 32 2207122533 383.782.11.13.41.263
 L1 32 2207122533 383.782.11.13.41.263
 781 2118948284 283.23.259.132887
 L1 32 2118948284 283.23.259.132887
 783 2125619890 2.5.17.13.41.23459
 L1 32 2125619890 2.5.17.13.41.23459
 784 21343791530 2.5.17.13.41.23459
 L1 32 21343791530 2.5.17.13.41.23459
 784 2128669790 2.5.13.17.179.5381
 L1 32 2265625570 2.5.13.17.179.5381
 785 2148484535 384.7.23.5.17.1931
 R9 32 2707011657 384.7.23.5.17.1931
 791 2158771095 384.5.17.13.89.271
 R9 32 2319893865 384.5.17.13.89.271
 R9 32 2319893865 384.5.17.13.89.271
 793 2189462784 283.379.12.24.673
 R9 32 2189462784 283.379.12.24.673
 796 2217800481 384.7.1182.13.47.53
 R9 32 2458161791 384.7.1182.13.47.53
 797 2221834450 2.582.11.1049.3851
 L1 32 2291939150 2.582.11.1049.3851
 L1 32 2291939150 2.582.11.1049.3851
 801 2245088224 286.227.239.647
 R9 32 2256728896 286.179.196991
 803 2256728896 286.179.196991
 R9 32 2256728896 286.179.196991
 803 2256728896 286.179.196991
 804 2266616925 382.582.13.1659.1259
 R9 32 2266616925 382.582.13.1659.1259
 805 2266616925 382.582.13.1659.1259
 R9 32 2266616925 382.582.13.1659.1259
 806 2266616925 382.582.13.1659.1259
 R9 32 2266616925 382.582.13.1659.1259
 810 2306473575 383.582.31.17.29.223
 L1 32 2495219225 383.582.31.17.29.223
 L1 32 2495219225 383.582.31.17.29.223
 812 231392152 283.19.47.27.1429
 R9 32 2317583848 382.5.19.3761.1459
 R9 32 2317583848 382.5.19.3761.1459
 813 2319232665 382.5.7.1427.373
 W1 32 235936995 382.5.7.1427.373
 815 2359263375 383.583.7.37.2699
 R9 32 2359263375 383.583.7.37.2699
 816 2359263375 383.583.7.37.2699
 R9 32 2359263375 383.583.7.37.2699
 817 2359263375 383.583.7.37.2699
 R9 32 2359263375 383.583.7.37.2699
 W1 32 2418472835 382.5.7.839.9151
 830 2441219175 384.5.11.47.89.131
 R3 32 2526711165 384.5.11.47.89.131

831 2446241032 283.19.61.193.1367
 W1 32 249050168 283.19.227.72167
 833 2450232385 382.5.7.107.139.523
 W1 32 249362435 382.5.7.107.139.523
 839 2509841530 2.5.31.7.311.3719
 W1 32 283837590 2.5.31.7.311.3719
 842 2511601465 3.5.7.13.5.43.3457
 W1 32 2511601465 3.5.7.13.5.43.3457
 846 252338265 285.51.79.10333
 W1 32 2609684768 285.25.991.33889
 L2 32 2609684768 285.25.991.33889
 861 2724801970 2.5.19.11.47.27739
 L1 32 3027364430 2.5.19.11.47.27739
 875 2824515016 283.127.11.17.1523
 R9 32 3056462264 283.127.11.17.1523
 879 2873231512 283.19.107.178067
 W1 32 2896801688 283.19.107.178067
 880 2874527150 2.582.11.13.138149
 L1 32 3080528416 2.582.11.13.138149
 882 3080528416 2.582.11.13.138149
 W1 32 3080528416 2.582.11.13.138149
 890 32 3297549584 286.2719.17.089
 R9 32 3297549584 286.2719.17.089
 890 32972121352 283.61.19.29.10979
 W1 32 3174186648 283.61.19.29.10979
 891 2953084864 286.101.461.991
 L1 32 2983785152 286.373.124991
 895 2982855752 283.19.47.239.1747
 R9 32 3058222488 283.19.47.239.1747
 896 2991169595 383.5.182.11.37.51
 L1 899 3060210675 3.582.19.37.11.739
 R9 32 369459825 3.582.19.37.11.739
 902 3089763264 286.83.443.1279
 W1 32 3053074496 286.1439.33151
 907 3037569344 286.101.311.1511
 L1 32 3073402432 286.503.95471
 910 307136244 282.23.229.19.29.457
 R9 32 3299606956 282.23.229.19.29.457
 911 307136244 282.23.229.19.29.457
 L1 32 304327793 382.782.13.83.82867
 929 3293577950 2.582.31.13.149.1097
 L1 32 3568402050 2.582.31.13.149.1097
 933 3341242475 382.582.13.19.59.1019
 L1 32 3564583425 382.582.13.19.59.1019
 944 3411757220 282.173.5.693.1427
 W1 32 3089832988 282.173.5.693.1427
 954 3443961465 382.5.23.7.53.8969
 R9 32 360113845 382.5.23.7.53.8969
 955 360113845 382.5.23.7.53.8969
 L1 32 3523198688 285.211.522719
 960 3481924064 285.71.103.14879
 L1 32 3537626656 285.127.876479
 961 3503908585 384.5.11.37.79.269
 R9 32 347981015 384.5.11.37.79.269
 965 3564199504 384.5.11.37.79.269
 R9 32 3626340272 284.47.101.167.281
 977 3680156382 283.101.11.41.40609
 W1 32 3680156382 283.101.11.41.40609
 985 3680156382 283.101.11.41.40609
 W1 32 3925075330 2.5.11.49.408927
 996 3877164568 283.17.101.277.1019
 W1 32 3932077832 283.17.5003.5779

1002 3940697128 283.19.53.163.3001
 R9 32 4055016478 283.19.53.163.3001
 1015 402463344 286.107.19.31.3083
 W1 32 4089162304 286.107.19.31.3083
 1033 4161910012 282.53.21.13.11.8661
 L1 32 436087159 282.53.21.13.11.8661
 1039 4241080915 382.782.13.5.43.3457
 R9 32 4241080915 382.782.13.5.43.3457
 1042 428297713 382.782.13.5.43.3457
 R9 32 428297713 382.782.13.5.43.3457
 1049 4355406078 382.11.13.17.43.5807
 R9 32 4355406078 382.11.13.17.43.5807
 1049 4355406078 382.11.13.17.43.5807
 R9 32 4355406078 382.11.13.17.43.5807
 1050 4373598075 382.582.13.89.174599
 W3 32 517219525 3.582.11.7.44529
 1056 4416889233 382.782.13.19.23.41.43
 R2 32 4785272037 382.782.13.19.23.41.43
 1058 4458225584 285.37.659.13999
 W1 32 458224728 285.37.659.13999
 1065 458224728 285.37.659.13999
 R9 32 458224728 285.37.659.13999
 1076 4754422088 282.11.29.463.7919
 R9 32 4780249093 286.197.379199
 1087 4853771495 383.5.11.43.59.1291
 R9 32 4895652995 383.5.11.43.59.1291
 1088 4875810975 382.582.31.7.37.2699
 R9 32 5090571656 283.19.71.83.341
 1091 5090571656 283.19.71.83.341
 1116 5191917776 283.17.167.114239
 L1 32 5532021424 284.761.453599
 1121 5257013762 7.11.43.13.79.773
 R9 32 5728089598 2.7.11.43.839.1031
 1134 5444862533 382.782.13.19.23.41.53
 R9 32 5849488827 382.782.13.19.23.41.53
 1137 5454702435 3.5.7.13.43.199.467
 W1 32 561556765 3.5.7.13.43.199.467
 1138 560591405 382.5.7.13.13.119
 R9 32 560591405 382.5.7.13.13.119
 1142 582767658 2.582.19.37.89.1759
 W1 32 582767658 2.582.19.37.89.1759
 1145 5523360085 382.5.7.79.347.643
 W1 32 5635304955 382.5.7.463.38639
 1149 5579256590 2.5.1182.659.7127
 R9 32 5682998530 2.5.1182.659.7127
 1158 568773224 3.582.7.13.167.4999
 L1 32 590505970 3.582.7.13.167.4999
 1159 590505970 3.582.7.13.167.4999
 W1 32 6159187018 2.5.11.41.59.134631
 1193 6082112015 384.5.11.29.179.263
 R9 32 6337714195 384.5.11.29.179.263
 1197 6168334785 382.5.11.593.167.1399
 W1 32 6219908415 382.5.7.2239.8819
 1202 6259708048 382.5.17.811.27919
 L1 32 6491732222 284.173.2345279
 1212 6491732222 284.173.2345279
 1215 6357565916 283.11.29.461.4289
 W1 32 6357565916 283.11.29.461.4289
 1226 6534413330 2.5.11.29.1319.1553
 W1 32 675780708 2.5.11.599.102563

1233 6692989624 283.17.101.293.1663
 W1 32 6780019016 283.17.101.293.1663
 1234 6716127352 283.53.11.971.1483
 W1 32 7304467288 283.53.11.971.1483
 1239 6752047995 382.7.11.5.1151.1693
 W1 32 7860694149 382.7.11.5.1151.1693
 1245 6789822528 286.89.239.4987
 W1 32 7894279802 286.89.239.4987
 1276 7074927906 286.89.239.4987
 W1 32 7074927906 286.89.239.4987
 89 32 7765499715 384.5.11.139.18529
 R9 32 7765499715 384.5.11.139.18529
 1271 7307312410 2.5.19.137.29.73.491
 L1 32 7634530790 2.5.19.137.29.73.491
 1286 7504585488 286.79.49.31.3823
 W1 32 7611543872 286.1279.93987
 1294 759326504 283.17.107.373.1399
 W1 32 7674549486 283.17.107.373.1399
 89 32 768131095 384.5.97.4.1061
 W1 32 768131095 384.5.97.4.1061
 1296 7689014456 283.17.101.389.6439
 W1 32 7689014456 283.17.101.389.6439
 1299 7693403445 382.7.13.47.281.863
 R9 32 9334667979 382.7.13.47.281.863
 1304 7779344980 282.137.5.11.258107
 R9 32 10172582638 282.137.5.11.258107
 1306 7787307094 284.53.59.31.7.491
 W1 32 7821709936 284.53.59.31.7.491
 1312 7821709936 284.53.59.31.7.491
 1313 8062801056 285.239.0834247
 W1 32 8062801056 285.239.0834247
 1313 7923087772 282.19.37.41.73259
 R9 32 8446176628 282.19.37.41.73259
 1315 7941474368 286.79.373.4211
 L1 32 8063451712 286.4679.26927
 1324 8135645416 283.19.1367.40151
 W1 32 8342735384 283.19.1367.40151
 1331 8560626368 286.103.211.5939
 W1 32 8571947972 286.85.7.152639.7
 L1 32 9314075156 282.23.47.83.25943
 1334 82755100971 382.782.13.19.139.593
 R9 32 8978525829 382.782.13.19.139.593
 1338 8307557128 283.269.13.23.12911
 R9 32 9263092472 283.269.13.23.12911
 1339 8315723650 2.582.31.13.139.2969
 W1 32 9080167550 2.582.31.13.139.2969
 1341 8362780848 285.59.79.56099
 W1 32 850485422 285.59.79.56099
 1352 850485422 285.59.79.56099
 R3 32 8665076135 382.5.7.183.71.1689
 1358 8645093145 382.5.7.183.71.1689
 R9 32 9186830055 385.5.13.23.53.449
 1377 8996364572 282.17.29.13.89.3943
 R9 32 9788118628 282.17.29.13.89.3943
 1382 905483104 285.67.383.11087
 L1 32 9086834464 285.71.39994897
 89 32 9070949152 285.51.83.64439
 W1 32 9070949152 285.51.83.64439
 1387 9097736655 385.782.19.43.167
 R9 32 9432207005 3.5.782.19.43.167
 1413 9616757544 286.83.231.5711
 W1 32 9760750144 286.23.51.6481
 1414 9703910930 2.7.17.5.47.173501
 L1 32 11802519002 2.7.17.5.47.173501
 1416 9766118956 284.17.137.262079
 L1 32 10415096464 284.12959.50231

TOTAL NUMBER: 271

AMICABLE PAIRS OF TYPE (4,2):

55 1669910 2.5.11.17.19.47
 54 2862570 2.5.239.863
 64 2803580 2.5.13.41.263
 42 3716164 2.5.503.1847
 51 4335969 2.7.51.13.7.293
 43 5864666 2.5.17.47.367
 42 7489324 2.52.53.35327
 122 12707784 2.53.17.41.43.53
 142 14236128 2.53.107.16631
 144 20022328 2.53.17.23.37.173
 42 22823432 2.53.1367.2887
 150 22608632 2.53.19.23.29.223
 42 2575368 2.53.1439.2239
 112 2626252 2.53.53.6847.107
 42 3246295 2.53.5.53.6847
 174 33259052 2.53.19.23.53.191
 42 39259928 2.53.71.69119.161
 207 67738268 2.52.19.13.17.37.109
 208 68891992 2.53.13.23.83.347
 218 78068594 2.53.13.31.53.457
 42 8810556 2.53.167.65951
 224 8666745 2.53.3.31.7867
 128 18625368 2.53.11.41.181.271
 298 18625368 2.53.83.313343
 301 190888155 2.52.5.17.19.23.571
 310 284134385 2.52.5.7.617759
 42 244869135 3.5.7.383.6689
 317 24748488 2.53.17.19.41.2027
 42 25201912 2.53.3041.10079
 362 306120652 2.52.17.13.23.29.509
 364 35797305 2.52.17.17.18.43
 394 35797305 2.7.11.17.18.43
 402 40922528 2.7.11.17.18.43
 400 362708728 2.53.13.19.173.1061
 404 3733065350 2.582.11.19.139.257
 42 432893050 2.582.859.10079
 438 465065192 2.53.13.23.61.3191
 447 494495768 2.53.13.23.61.3389
 453 59257392 2.52.93.97.139
 42 552504904 2.54.681.39199
 498 659081604 2.53.13.23.61.3517
 42 752700136 2.53.3347.28111
 507 681709490 2.5.5.7.11.929.953
 42 851486670 2.5.2.2879.29573
 519 728921270 2.5.2.2447.37199
 52 877324836 2.53.29.47.61.1319
 42 824832630 3.52.7.13.17.97.527
 42 949380932 2.52.19.31.113.773
 42 1266001788 2.52.19.31.91.4643

AMICABLE PAIRS OF TYPE (2,3):

1078 4771436296 2E3.11.23.271.8699
 R9 42 5451411784 2E3.7649.89867
 1079 744029576 2E3.19.23.29.47189
 L1 42 5408836424 2E3.197.3431999
 8095 4937340976 2E4.37.47.61.2909
 R10 42 513127788 2E4.24.17.9079
 L1 45 28308985 3E3.5.29.31491
 R9 42 6585984045 3E2.5.17.1087.7919
 L1 23 209556645 3E3.5.17.23.397
 1154 5619401456 2E4.29.79.83.1847
 R9 42 5895953944 2E4.19.19.4949399
 L1 74 5885437545 3E3.5.7.11.47.2203
 R9 42 215933735 3E3.5.47.1137.6263
 1192 6067647728 2E4.29.41.313.1019
 R9 42 6442489092 2E4.449.896783
 1205 6009516025 3E3.5E3.11.19.59.149
 R9 42 277448375 3E3.5E3.7.19.22999
 L1 72 7573431835 3E3.5E3.11.51.9749.233
 R9 42 7573431835 3E3.5E3.11.51.9749.233
 1220 6386741364 2E3.37.23.71.73.181
 R3 42 6878939906 2E3.37.701.33151
 1230 6589526450 2.5E2.13.23.29.15199
 R9 42 659561550 2.5E2.11.96.129.29
 1252 6908106488 2E3.19.23.223.8861
 L1 42 7384527112 2E3.31.29776319
 1256 6998994624 2E4.19.149.191.809
 R9 42 7454267376 2E4.20249.23039
 L1 42 7454267376 2E4.20249.23039
 R9 42 7858790690 2.5.7.17.123.37769
 R9 42 7858790690 2.5.7.17.123.37769
 1279 739003144 2E3.13.17.491.8513
 R9 42 8443963496 2E3.11.951.92987
 1317 7983560655 3E2.5.17.7.29.101.509
 R9 42 9545098545 3E2.5.17.2447.5099
 1401 9294561770 2.5.13.29.53.181.257
 R9 42 9874755670 2.5.13.701.108359
 1424 9881488304 2E4.29.47.1009.4157
 R9 42 10535954696 2E4.5279.124739
 L1 42 10535954696 2E4.5279.124739
 R9 42 12898541236 2E2.257.107.117191
 323 227443340 2E2.5.17.43.47.331
 R9 52 3076251764 2E2.1187.63743
 604 1067740245 3E3.5.11.13.19.41.71
 R9 52 1370813355 3E3.5.2687.3779
 776 2084019740 2E2.5.11.407.223.397
 R9 52 2084019740 2E2.5.11.407.223.397
 320 209714248 2E2.6.7.10694.59.109
 R9 42 4096317535 3E3.5.439.69119
 969 3604491343 3.5.7.13.23.29.37.107
 R9 52 4338226095 3.5.7.809.51071
 1316 7961973140 2E2.5.11.67.727.743
 R9 52 10600838764 2E2.1637.1618943

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AMICABLE PAIRS OF TYPE (5,2):

323 227443340 2E2.5.17.43.47.331
 R9 52 3076251764 2E2.1187.63743
 604 1067740245 3E3.5.11.13.19.41.71
 R9 52 1370813355 3E3.5.2687.3779
 776 2084019740 2E2.5.11.407.223.397
 R9 52 2084019740 2E2.5.11.407.223.397
 320 209714248 2E2.6.7.10694.59.109
 R9 42 4096317535 3E3.5.439.69119
 969 3604491343 3.5.7.13.23.29.37.107
 R9 52 4338226095 3.5.7.809.51071
 1316 7961973140 2E2.5.11.67.727.743
 R9 52 10600838764 2E2.1637.1618943

TOTAL NUMBER: 6

AMICABLE PAIRS OF TYPE (2,3):

54 1511930 2.5.7.21599
 L1 23 1598470 2.5.19.47.1719
 70 4246130 2.5.7.166659
 L1 20 28308985 3E3.5.29.31491
 L1 45 28308985 3E3.5.29.31491
 L1 23 209556645 3E3.5.17.23.397
 L1 93 48641584 2E4.29.79.83.1847
 L1 23 48852176 2E4.47.167.389
 221 80422335 3E3.5.11.71.787
 L1 23 82977345 3E3.5.47.1137.6263
 235 96304845 3.5.7E2.13.10079
 L1 23 96747315 3.5.7E2.23.59.97
 L1 239 103043476 2E3.13.23.990719
 L1 322 103043476 2E3.13.23.990719
 L1 322 103043476 2E3.13.23.990719
 L1 23 21465968 2E4.59.359.683
 L1 23 21465968 2E4.59.359.683
 329 245618415 3E2.5.19.31.89.113
 L1 23 266560785 3E2.5.19.31.89.113
 415 397287345 3.5.7E2.17.109.293
 L1 23 399852815 3.5.7E2.17.109.293
 588 1002372250 2.5E3.29.89.1619
 L1 23 1044659750 2.5E3.29.89.1619
 624 111149196 2E2.11.13.13650189
 L1 23 111149196 2E2.11.13.13650189
 W1 767 1662154065 3E2.5.13.29.59.1721
 L1 23 1722609135 3E2.5.13.29.59.1721
 865 2766512710 2.5.13.29.733823
 W1 23 2781196730 2.5.13.53.103.3919
 987 3781638940 2E2.37.43.73.9431
 L1 23 4381378532 2E2.37.43.73.9431
 1018 4053148088 2E3.79.11.583019
 W1 23 4342339912 2E3.79.11.583019
 1072 467124344 2E3.43.53947959
 W1 210 6262961808 2E5.47.47735959
 1267 7194869650 2.5E2.19.43.176129
 W1 23 7219609550 2.5E2.19.109.113.617
 1369 8902642875 3.5E3.7.17.199499
 L1 23 9023629125 3.5E3.7.17.199499
 1412 9581473976 2E3.19.59.1068407
 W1 23 9649870024 2E3.19.59.151.593.709

TOTAL NUMBER: 21

583 991838384 284.23.167.16139
R9 33 1055532496 284.79.503.1613
593 1020658810 382.5.11.19.47.2309
R9 33 1055014785 382.5.11.19.47.2309
596 1034955988 382.5.11.19.47.2309
R9 33 1066076012 382.11.13.137.479
601 1094859139 3.5.7.11.19.14.759
R9 33 1025816285 3.5.7.11.19.14.759
608 1025816285 3.5.7.11.19.14.759
R9 33 1068319804 382.11.13.137.479
613 1093953735 383.5.7.89.133093
R9 33 1085319804 382.11.13.137.479
615 1101570165 383.5.11.23.39.3251
R9 33 1119255435 383.5.11.23.39.3251
616 1110676384 285.17.19.19.1999
R9 33 1111963166 285.17.19.19.1999
626 1162074914 2.7.11.13.43.13499
R9 33 1232934086 2.7.11.13.43.13499
630 11065372 2.7.11.13.43.13499
R9 33 1328289795 383.5.11.23.39.3251
634 1211220668 382.11.13.137.479
R9 33 1292953532 382.11.13.137.479
642 1294061725 382.11.13.137.479
R9 33 1375056675 383.5.11.23.39.3251
644 1241180168 383.18.59.138481
L1 33 1250055832 383.18.59.138481
658 1292828648 383.11.499.39499
R9 33 1356417352 383.29.149.39239
L1 33 1356417352 383.29.149.39239
660 1328289795 383.5.11.23.39.3251
R9 33 1328289795 383.5.11.23.39.3251
662 1312989795 382.11.13.137.479
R9 33 1365597484 382.11.13.137.479
663 1315607765 384.5.17.79.2633
R9 33 1432128195 384.5.17.79.2633
666 1333290105 383.5.17.23.61343
R9 33 1493441415 383.5.17.23.61343
672 1365633296 384.37.107.21559
L1 33 1365633296 384.37.107.21559
673 1333616144 284.43.22.6819031
R9 33 1333616144 284.43.22.6819031
676 1515731270 2.5.19.17.251.859
R9 33 1515731270 2.5.19.17.251.859
686 1515731270 2.5.19.17.251.859
R9 33 1518631456 382.11.13.137.479
690 1518631456 382.11.13.137.479
L1 33 1518631456 382.11.13.137.479
691 1532931010 2.5.13.29.79.5147
R9 33 1580957930 2.5.13.29.79.5147
698 1580957930 2.5.13.29.79.5147
R9 33 1793979369 382.11.13.137.479
R9 33 1793979369 382.11.13.137.479
699 1626461816 384.187.751.2993
706 1626461816 384.187.751.2993
R9 33 1684078164 384.22.149.29663
712 1696307588 382.11.13.137.479
R9 33 1716685562 382.11.13.137.479
716 1728342296 383.18.59.138481
R9 33 1747238104 383.18.59.138481
728 1767741665 383.5.7.47.443.773
R9 33 2127257585 383.5.7.47.443.773
730 1799313730 2.5.13.31.17.479.329
R9 33 18606435870 2.5.13.31.17.479.329

884 2897960164 282.11.13.137.479
R9 33 2941867674 282.11.13.137.479
894 2978701744 284.17.19.14.759
L2 33 3103141136 284.17.19.14.759
903 3020605808 284.17.19.14.759
L1 33 3170791812 284.17.19.14.759
R9 33 343651768 282.11.13.137.479
R9 33 343651768 282.11.13.137.479
905 3674523530 2.5.13.29.79.5147
906 3674523530 2.5.13.29.79.5147
907 3674523530 2.5.13.29.79.5147
R9 33 370488144 284.17.19.14.759
L1 33 3137086672 282.11.13.137.479
R9 33 3137086672 282.11.13.137.479
915 3131974532 282.11.13.137.479
L1 33 3161952434 282.11.13.137.479
922 3216365570 2.5.11.47.769.809
R9 33 3250156830 2.5.11.47.769.809
926 3274542943 383.7.11.13.17.1727
R9 33 3432370275 382.5.11.23.39.3251
932 3432370275 382.5.11.23.39.3251
933 3432370275 382.5.11.23.39.3251
934 3432370275 382.5.11.23.39.3251
935 3432370275 382.5.11.23.39.3251
936 3373705164 283.41.37.1.4673
R9 33 3410834936 283.41.37.1.4673
938 3382872670 2.5.19.23.461.1709
R9 33 34422960130 2.5.19.23.461.1709
941 3401192925 382.5.11.23.39.3251
R9 33 3423370275 382.5.11.23.39.3251
942 3423370275 382.5.11.23.39.3251
943 3423370275 382.5.11.23.39.3251
944 3423370275 382.5.11.23.39.3251
945 3414281456 284.19.163.68903
R9 33 3435621668 283.23.47.229.1721
948 3431450912 285.43.1439.1733
L1 33 3591877264 284.263.409.2087
949 3434389695 382.7.13.5.191.4399
R9 33 3496122208 285.269.373.1087
951 3437839568 284.29.659.11243
L1 33 3437839568 284.29.659.11243
952 3437839568 284.29.659.11243
R9 33 3459761813 383.7.11.17.53.1847
967 3597402950 2.5.11.19.344249
R9 33 4086257950 2.5.11.19.344249
970 3611920304 284.29.593.13127
L1 33 3640249456 284.53.109.39383
975 3663942220 282.5.7.1.2580241
L1 33 3736912936 282.13.3163.25163
982 3736912936 282.13.3163.25163
R9 33 3755028104 283.13.137.479
983 3755028104 283.13.137.479
R9 33 3911794515 382.5.11.23.347.689
985 3712300550 2.5.11.19.344249
R9 33 3846660550 2.5.11.19.344249
986 3728530994 2.7.11.13.37.5039
R9 33 3837326526 2.7.11.13.37.5039
990 380541524 282.11.17.367.13859
R9 33 3907408016 282.11.17.367.13859
1011 4060789528 283.13.29.1328783
R9 33 4363729672 283.13.29.1328783
1016 4363729672 283.13.29.1328783
R9 33 4263876112 284.241.683.1619

1019 4056057735 383.5.19.13.89.1367
R9 33 4216811265 383.5.19.13.89.1367
1035 4189882288 284.17.2399.6421
R9 33 4410660112 284.23.99.563.2027
1044 412833832 283.29.31.521.1151
R9 33 434651768 282.11.13.137.479
R9 33 434651768 282.11.13.137.479
1059 458493256 282.11.13.137.479
R9 33 458493256 282.11.13.137.479
1059 458493256 282.11.13.137.479
R9 33 4724766352 284.23.701.1089
1060 458493256 282.11.13.137.479
L1 33 5072879188 282.5.7.1.3162641
1067 458493256 282.11.13.137.479
R9 33 4643805908 285.53.463.5851
1086 4859601232 284.17.2399.6079
R9 33 5114760368 284.227.559.2351
1083 50811528 282.5.11.23.39.3251
1083 50811528 282.5.11.23.39.3251
1083 50811528 282.5.11.23.39.3251
1118 528079264 285.53.1439.3119
R9 33 5233612896 285.107.499.12401
1122 529061056 285.67.199.12401
R9 33 535072544 285.149.211.5303
1125 5362349776 284.17.2267.8599
R9 33 5581328624 284.257.449.3023
1131 5389409950 2.5.11.19.344249
R9 33 6074140850 2.5.11.19.344249
1136 546079264 285.53.1439.3119
1150 5507409238 2.5.13.199.233.1559
R9 33 5828795570 2.5.13.199.233.1559
1151 5592054630 2.5.19.71.167.2659
R9 33 5990747970 2.5.19.71.167.2659
1156 5668081984 286.223.311.1277
R9 33 5675159744 286.283.431.727
1163 5766520288 285.59.599.5099
R9 33 5800729712 285.101.359.4999
1166 5797844128 285.79.181.12671
R9 33 58178575 282.11.13.137.479
R9 33 58178575 282.11.13.137.479
R9 33 6228149023 3.5.7.11.19.14.759
1178 5924391392 383.285.263.443.9719
R9 33 6038673568 285.263.443.9719
1180 5936514512 284.263.919.1619
L211 6275937424 284.179.509.40559
1214 6305672368 284.177.751.30669
R9 33 664573738 284.177.751.30669
R9 33 687041598 2.5.17.271.293.569

AMICABLE PAIRS OF TYPE (4,3):

- 1223 6468726680 285 61 199 16631
- R9 33 6532393712 285 139 359 4891
- 1225 5586132725 3 582 7 19 139 1217
- R9 33 6542991525 3 582 7 19 121 1259
- 1232 6628259801 382 7 13 17 23 41 589
- R9 33 6628259801 382 7 13 17 29 67 251
- 1238 6742131936 384 29 47 389 1647
- R9 33 6789455884 284 151 431 6779
- 1241 6785939688 284 159 409 1693
- R9 33 6785939688 284 159 409 1693
- 1242 6794989288 285 71 183 19139
- R9 33 6794989288 285 71 183 19139
- 1247 6845195598 2 5 11 53 139 8447
- R9 33 6845195598 2 5 11 53 139 8447
- 1253 6921765752 283 11 167 239 1583
- R9 33 6921765752 283 11 167 239 1583
- 1260 7096666910 2 5 11 53 139 1693
- R9 33 7096666910 2 5 11 53 139 1693
- 1267 73825886 284 19 267 8663
- R9 33 73825886 284 19 267 8663
- 1268 7393819930 2 5 19 37 313 3527
- R9 33 7393819930 2 5 19 37 313 3527
- 1282 7460005675 3 583 7 17 349 479
- R9 33 7460005675 3 583 7 17 349 479
- 1283 7480768832 286 233 239 2699
- R9 33 7480768832 286 233 239 2699
- 1296 757222157 384 7 11 13 59 1583
- R9 33 757222157 384 7 11 13 59 1583
- 1303 783062803 384 7 11 23 179 307
- R9 33 783062803 384 7 11 23 179 307
- 1303 783247916 384 7 13 33 4959
- R9 33 783247916 384 7 13 33 4959
- 1295 7688153350 2 582 7 17 19 121439
- R9 33 8655091450 2 582 137 383 3299
- 1308 7807697504 2 582 137 383 3299
- R9 33 7839688096 285 189 223 10079
- 1312 7920502317 382 7 13 19 17 79 379
- R9 33 8013961683 382 7 13 19 31 37 449
- 1314 7941448664 283 97 17 193 3119
- R9 33 8013961683 382 97 17 193 3119
- 1313 8074580136 283 97 23 369 1863
- R9 33 8074580136 283 97 23 369 1863
- 1313 8433856483 384 5 17 47 67 389
- R9 33 8433856483 384 5 17 47 67 389
- 1330 8249041162 282 11 19 89 110879
- R9 33 8515214884 284 17 1439 21163
- 1336 82833637504 284 17 1439 21163
- 1340 8348580350 2 582 11 3163 4799
- R9 33 8600034850 2 582 17 2239 4519
- 1343 8452751584 285 59 1511 2963
- R9 33 8517106126 285 59 1511 2963
- 1352 8517106126 285 59 1511 2963
- R9 33 8735245875 383 583 29 31 2879
- 1360 8658321632 285 71 79 48239
- R9 33 8847009568 285 401 599 1151
- 1385 9083125275 3 582 7 19 139 6551
- R9 33 9115780925 3 582 7 19 127 12739
- 1388 9180969376 285 79 113 31859
- R9 33 9284512224 285 179 227 7879
- 1393 9179012056 283 13 8689 18151
- R4 33 935372744 283 19 281 218987
- R9 33 935372744 283 19 281 218987
- 1395 9216581168 285 83 151 23003
- R9 33 9216581168 285 83 151 23003
- 1396 9216580832 285 47 179 24487
- R9 33 9308472928 285 101 1229 2351
- 1402 93083632398 2 5 13 29 113 21839
- R9 33 9518953210 2 5 13 29 113 21839
- 1421 9852159848 283 31 23 433 3989
- R9 33 10896563352 283 31 23 433 3989
- 1422 9875558210 2 5 29 239 347 4669
- R9 33 12341616190 2 5 29 239 347 4669
- 1426 9958985128 283 19 103 197 3223
- R9 33 9994662872 283 19 113 659 883
- 1360 8658321632 285 71 79 48239
- R9 33 8847009568 285 401 599 1151
- 1385 9083125275 3 582 7 19 139 6551
- R9 33 9115780925 3 582 7 19 127 12739
- 1388 9180969376 285 79 113 31859
- R9 33 9284512224 285 179 227 7879
- 1393 9179012056 283 13 8689 18151
- R4 33 935372744 283 19 281 218987
- R9 33 935372744 283 19 281 218987
- 1395 9216581168 285 83 151 23003
- R9 33 9216581168 285 83 151 23003
- 1396 9216580832 285 47 179 24487
- R9 33 9308472928 285 101 1229 2351
- 1402 93083632398 2 5 13 29 113 21839
- R9 33 9518953210 2 5 13 29 113 21839
- 1421 9852159848 283 31 23 433 3989
- R9 33 10896563352 283 31 23 433 3989
- 1422 9875558210 2 5 29 239 347 4669
- R9 33 12341616190 2 5 29 239 347 4669
- 1426 9958985128 283 19 103 197 3223
- R9 33 9994662872 283 19 113 659 883
- TOTAL NUMBER: 280
- 315 289309704 283 29 71 97 131
- R9 43 289816696 283 19 83 16631
- 319 21397165 383 5 11 29 53 97
- R9 43 235831635 382 5 7 13 83 1619
- 331 250876395 382 5 7 13 83 1619
- R9 43 233063445 382 5 7 13 83 1619
- L1 43 252551048 283 17 31 37 1619
- R9 43 252551048 283 17 31 37 1619
- 333 278247572 283 17 31 37 1619
- R9 43 278247572 283 17 31 37 1619
- 335 282329320 283 17 31 37 1619
- R9 43 282329320 283 17 31 37 1619
- 363 300208696 283 23 29 127 443
- R9 43 3135765904 283 31 89 14207
- 368 385178874 2 7 19 11 13 71 1113
- R9 43 356714246 2 7 19 11 13 71 1113
- 374 320909808 283 53 67 11699
- R9 43 32345192 283 53 67 11699
- 376 318438064 283 53 67 11699
- R9 43 318438064 283 53 67 11699
- 382 34644719 283 19 29 47 1567
- R9 43 352731208 283 19 29 47 1567
- 387 339981512 283 13 41 71 1123
- R9 43 3738083448 283 83 167 3371
- 391 347401835 383 5 17 19 31 257
- R9 43 365917365 383 5 17 19 31 257
- 405 375401624 283 13 73 197 251
- R9 43 399882216 283 43 97 119817
- 408 485418845 383 5 59 71 823
- R9 43 485418845 383 5 59 71 823
- 418 485370835 383 5 7 19 107 211
- R9 43 473836365 383 5 29 127 953
- 432 438362984 283 19 43 47 1427
- R9 43 466417816 283 31 503 3739
- 442 474179596 282 31 11 41 61 139
- R9 43 50575684 282 31 17 79 3037
- 459 529714744 283 13 59 113 659
- R9 43 529714744 283 13 59 113 659
- 463 55947476 283 583 107 17 37 89
- R9 43 55947476 283 583 107 17 37 89
- 470 662919525 3 582 19 23 113 179
- R9 43 662919525 3 582 19 23 113 179
- 470 662919525 3 582 19 23 113 179
- R9 43 662919525 3 582 19 23 113 179
- 475 505057992 283 17 23 359 521
- R9 43 632663608 283 59 107 12527
- 480 600418910 2 7 5 13 23 28687
- R9 43 787621282 2 7 43 223 5867
- 485 613290628 282 17 13 2247 589
- R9 43 613290628 282 17 13 2247 589
- 496 65387842 2 7 31 11 13 17 819
- R9 43 65387842 2 7 31 11 13 17 819
- 512 69802450 2 582 29 41 59 199
- R9 43 768029414 2 7 31 53 79 433
- 512 69802450 2 582 29 41 59 199
- R9 43 768029414 2 7 31 53 79 433
- 539 826499835 383 5 7 31 89 317
- R9 43 931912965 383 5 7 31 89 317
- 543 848764124 282 19 13 23 41 911
- R9 43 931912965 383 5 7 31 89 317
- 543 848764124 282 19 13 23 41 911
- R9 43 931912965 383 5 7 31 89 317
- 544 854687570 2 5 11 53 79 46167
- R9 43 854687570 2 5 11 53 79 46167
- 553 801089360 583 13 33 481 929
- R9 43 801089360 583 13 33 481 929
- 555 894650615 3 5 7 13 53 83 149
- R9 43 9431650832 283 167 179 4153
- 555 894650615 3 5 7 13 53 83 149
- R9 43 9431650832 283 167 179 4153
- 555 894650615 3 5 7 13 53 83 149
- R9 43 9431650832 283 167 179 4153
- 555 894650615 3 5 7 13 53 83 149
- R9 43 943224585 3 5 7 13 53 83 149
- 555 894650615 3 5 7 13 53 83 149
- R9 43 943224585 3 5 7 13 53 83 149
- 555 894650615 3 5 7 13 53 83 149
- R9 43 943224585 3 5 7 13 53 83 149

AMICABLE PAIRS OF TYPE (2,4):

177 379440816 2.7.5.539783
178 379440816 2.7.13.41.53.101
179 316239316 2E3.13.1.3041279
180 34232375784 2E3.41.71.189.127
181 484 686235455 3E3.5.7.64151
182 645 625482945 3E3.5.19.43.53.107
183 685 1562495805 3.7E2.13.1.157247
184 294 160838452 2E3.11.19.31.6947
185 44 193486028 2E2.23.29.47.1543
186 186878170 2.5.17.19.47.1231
187 44 196323170 2.5.23.41.109.191
188 332 251302370 2.5.11.23.71.1399
189 44 271244830 2.5.29.59.83.191
190 420 407641130 2.5.13.17.139.1327
191 44 435691990 2.5.23.5.97.3287
192 44 435691990 2.5.23.5.97.3287
193 44 484817110 2.5.19.71.83.433
194 44 484817110 2.5.19.71.83.433
195 448 584555070 2.5.17.19.31.5039
196 44 540539330 2.5.23.71.79.419
197 458 52655472 2E3.19.71.97.503
198 44 540314728 2E3.41.83.89.223
199 44 594986330 2.5.13.41.71.1549
200 476 586180070 2.5.19.29.83.1301
201 493 643066405 3E3.5.11.41.59.179
202 44 657361313 2E3.5.23.7337.439
203 44 657361313 2E3.5.23.7337.439
204 44 759406332 2E2.17.73.151.1013
205 534 802162700 2.5.47.89.97.223
206 44 948242730 2.5.5.47.89.97.223
207 546 856305272 2E3.23.29.383.419
208 44 885518728 2E3.47.59.227.1187
209 617 1112024370 2.5.7.59.227.1187
210 44 1227440590 2.5.37.43.179.431
211 646 1249677052 2E3.23.67.167.607
212 44 1249677052 2E3.23.67.167.607
213 44 158062005 2E3.7.5.17.21.15427
214 44 2258828640 3E2.7.11.83.173.227
215 756 19780830070 2.7.5.23.97.12671
216 44 2313024266 2.7.31.41.43.3023
217 759 1990129570 2.5.11.13.43.3229
218 44 2229439070 2.5.37.67.139.647
219 777 2091376035 3E2.5.7.29.179.1279
220 44 222171965 3E2.5.11.59.127.599
221 900 2150256590 2.7.5.17.131.2581
222 795 224607135 3E3.5.7.19.31.227
223 44 240279065 3E3.5.31.37.59.263
224 44 240279065 3E3.5.31.37.59.263
225 907 2282361092 2E2.11.19.239.11423
226 44 2323795708 2E2.13.23.127.15289
227 822 2410351540 3E2.13.23.127.15289
228 44 2721279692 2E2.17.73.293.1871
229 826 24280035470 2.5.7.53.359.1023
230 44 267799710 2.5.29.71.113.1151
231 835 2482324810 2.5.13.23.41.24289
232 44 268437080 2E3.13.181.367.431
233 44 268437080 2E3.13.181.367.431
234 44 2598502312 2E3.37.127.137.503
235 848 2614326776 2E3.61.79.3989
236 44 2729081224 2E3.19.107.199.433
237 855 2682405256 2E3.23.187.131.1259
238 44 2706362744 2E3.31.53.103.1089.1809

TOTAL NUMBER: 4

AMICABLE PAIRS OF TYPE (2,4):

177 379440816 2.7.5.539783
178 379440816 2.7.13.41.53.101
179 316239316 2E3.13.1.3041279
180 34232375784 2E3.41.71.189.127
181 484 686235455 3E3.5.7.64151
182 645 625482945 3E3.5.19.43.53.107
183 685 1562495805 3.7E2.13.1.157247
184 294 160838452 2E3.11.19.31.6947
185 44 193486028 2E2.23.29.47.1543
186 186878170 2.5.17.19.47.1231
187 44 196323170 2.5.23.41.109.191
188 332 251302370 2.5.11.23.71.1399
189 44 271244830 2.5.29.59.83.191
190 420 407641130 2.5.13.17.139.1327
191 44 435691990 2.5.23.5.97.3287
192 44 435691990 2.5.23.5.97.3287
193 44 484817110 2.5.19.71.83.433
194 44 484817110 2.5.19.71.83.433
195 448 584555070 2.5.17.19.31.5039
196 44 540539330 2.5.23.71.79.419
197 458 52655472 2E3.19.71.97.503
198 44 540314728 2E3.41.83.89.223
199 44 594986330 2.5.13.41.71.1549
200 476 586180070 2.5.19.29.83.1301
201 493 643066405 3E3.5.11.41.59.179
202 44 657361313 2E3.5.23.7337.439
203 44 657361313 2E3.5.23.7337.439
204 44 759406332 2E2.17.73.151.1013
205 534 802162700 2.5.47.89.97.223
206 44 948242730 2.5.5.47.89.97.223
207 546 856305272 2E3.23.29.383.419
208 44 885518728 2E3.47.59.227.1187
209 617 1112024370 2.5.7.59.227.1187
210 44 1227440590 2.5.37.43.179.431
211 646 1249677052 2E3.23.67.167.607
212 44 1249677052 2E3.23.67.167.607
213 44 158062005 2E3.7.5.17.21.15427
214 44 2258828640 3E2.7.11.83.173.227
215 756 19780830070 2.7.5.23.97.12671
216 44 2313024266 2.7.31.41.43.3023
217 759 1990129570 2.5.11.13.43.3229
218 44 2229439070 2.5.37.67.139.647
219 777 2091376035 3E2.5.7.29.179.1279
220 44 222171965 3E2.5.11.59.127.599
221 900 2150256590 2.7.5.17.131.2581
222 795 224607135 3E3.5.7.19.31.227
223 44 240279065 3E3.5.31.37.59.263
224 44 240279065 3E3.5.31.37.59.263
225 907 2282361092 2E2.11.19.239.11423
226 44 2323795708 2E2.13.23.127.15289
227 822 2410351540 3E2.13.23.127.15289
228 44 2721279692 2E2.17.73.293.1871
229 826 24280035470 2.5.7.53.359.1023
230 44 267799710 2.5.29.71.113.1151
231 835 2482324810 2.5.13.23.41.24289
232 44 268437080 2E3.13.181.367.431
233 44 268437080 2E3.13.181.367.431
234 44 2598502312 2E3.37.127.137.503
235 848 2614326776 2E3.61.79.3989
236 44 2729081224 2E3.19.107.199.433
237 855 2682405256 2E3.23.187.131.1259
238 44 2706362744 2E3.31.53.103.1089.1809

TOTAL NUMBER: 4

AMICABLE PAIRS OF TYPE (5,3):

313 208693620 2E2.11.13.23.29.547
R9 53 255308932 2E2.31.167.12329
R9 53 255308932 2E2.31.167.12329
347 273141036 2E2.11.23.29.41.227
L1 53 306014644 2E2.13.239.24623
567 938304290 2.11.5.7.17.43.1667
R9 53 1344406478 2.11.5.7.17.43.1667
618 1188297565 3E2.5.7.19.29.31.359
R9 53 146955235 3E2.5.7.19.29.31.359
R9 723 1772982530 2.5.11.17.19.139.359
R9 723 1772982530 2.5.11.17.19.139.359
645 245018006 2.5.107.129.10793
R9 53 315642190 2.5.43.139.991
R9 53 315642190 2.5.43.139.991
877 2848466620 2E2.5.17.31.131.2063
R9 53 3742595396 2E2.7.5.11.17.193.293
R9 53 435621379 2E2.7.23.41.67.683
R9 53 435621379 2E2.7.23.41.67.683
1026 412383752 2E3.7.23.41.67.683
R9 53 452482708 2E3.71.227.3153
1062 4522539070 2.5.7.17.73.79.659
R9 53 5084283330 2.5.793.730.1749.201
R9 53 5084283330 2.5.793.730.1749.201
1119 5221345844 2E2.11.13.19.353.1361
R9 53 6270843070 2.5.107.1879.3119
R9 53 6270843070 2.5.107.1879.3119
1218 6356368136 2E3.17.23.103.109.101
R9 53 610775116 2E2.11.9439.9533
1240 676443170 2.5.11.23.47.163.349
R9 53 7135510264 2E3.13.1.2027.3359
R9 53 7135510264 2E3.13.1.2027.3359
R9 53 7518523630 2.5.19.383.103319
1257 7035981610 2.5.7.53.109.127.137
R9 53 8540819180 2E2.5.17.307.2203
R9 53 8540819180 2E2.5.17.307.2203
1354 8534619752 2E3.17.23.71.83.463
R9 53 10993367516 2E2.13.167.125627
R9 53 9650022808 2E3.347.503.6911
1407 9406606024 2E3.13.41.519.149.251
R9 53 10595069176 2E3.167.1259.6299

TOTAL NUMBER: 18

AMICABLE PAIRS OF TYPE (5,3):

1297 7644728944 2E4.67.83.151.569
R9 43 7667089124 2E4.37.607.12419
R9 43 7667089124 2E4.37.607.12419
1301 7716789124 2E2.59.11.17.19.9203
R9 53 7716789124 2E2.59.11.17.19.9203
1302 7716789124 2E2.59.11.17.19.9203
R9 53 7716789124 2E2.59.11.17.19.9203
1303 7784412284 2E2.11.23.1759.4373
R9 43 7784412284 2E2.11.23.1759.4373
1307 7800766940 2E2.5.13.167.179657
L1 43 9946628032 2E2.5.15.11.31051
R9 53 9946628032 2E2.5.15.11.31051
1319 80838703948 2E2.13.17.19.307.1559
R9 43 8912556452 2E2.13.139.781.1759
R9 43 8912556452 2E2.13.139.781.1759
1321 80838703948 2E2.11.29.53.139.857
R9 43 8289879356 2E2.11.43.107.40949
R9 43 8289879356 2E2.11.43.107.40949
1325 8167602105 3E2.5.13.19.23.43.743
R9 43 8167602105 3E2.5.13.19.23.43.743
R9 43 8167602105 3E2.5.13.19.23.43.743
1328 8226127472 2E4.97.239.22819
R9 46 8479043152 2E4.97.239.22819
R9 46 8479043152 2E4.97.239.22819
1347 8498664000 2E4.71.1809.3967
R9 43 8498664000 2E4.71.1809.3967
1347 8498664000 2E4.71.1809.3967
R9 43 8818771995 3E3.5.13.19.89.2861
R9 43 8818771995 3E3.5.13.19.89.2861
1353 8521860655 3E6.5.13.17.71.149
R9 43 8521860655 3E6.5.13.17.71.149
R9 43 8521860655 3E6.5.13.17.71.149
1359 8651076434 2.7.11.13.23.89.2111
R9 43 8651076434 2.7.11.13.23.89.2111
R9 43 8651076434 2.7.11.13.23.89.2111
1363 8662559806 2E4.53.71.23.1239.1187
R9 43 8662559806 2E4.53.71.23.1239.1187
R9 43 8662559806 2E4.53.71.23.1239.1187
1372 8952142015 3E3.5.7.11.53.16249
R9 43 11265457185 3E3.5.7.11.53.16249
R9 43 11265457185 3E3.5.7.11.53.16249
1375 8975660265 3E2.5.13.11.47.59.503
R6 43 8975660265 3E2.5.13.11.47.59.503
R6 43 8975660265 3E2.5.13.11.47.59.503
1378 906691928 2E3.17.59.317.3541
R9 43 906691928 2E3.17.59.317.3541
R9 43 906691928 2E3.17.59.317.3541
1379 906691928 2E3.17.59.317.3541
R9 43 906691928 2E3.17.59.317.3541
1380 906691928 2E3.17.59.317.3541
R9 43 906691928 2E3.17.59.317.3541
1383 907972478 3E3.7.13.21.83.857
R9 43 1118146940 3E2.7.13.21.83.857
R9 43 1118146940 3E2.7.13.21.83.857
1386 9086970310 2.5.53.11.83.89.211
R9 43 9086970310 2.5.53.11.83.89.211
R9 43 9086970310 2.5.53.11.83.89.211
1389 9136521225 3E3.5E2.13.17.73.839
R9 43 10287235575 3E3.5E2.59.97.2663
R9 43 9535950765 3E2.5.11.23.31.41.659
R9 43 10390815795 3E2.5.11.127.197.839
1415 9723853468 2E4.23.89.307.967
R9 43 10246660752 2E4.203.461.3279

TOTAL NUMBER: 201

AMICABLE PAIRS OF TYPE (4,4):

165 32642324 2E2.11.13.149.383
L1 44 30095276 2E2.17.47.97.139
286 169335796 2.5.13.5.79.183
L1 294 160838452 2E3.11.19.31.6947
R9 44 193486028 2E2.23.29.47.1543
299 186878170 2.5.17.19.47.1231
R9 44 196323170 2.5.23.41.109.191
332 251302370 2.5.11.23.71.1399
R9 44 271244830 2.5.29.59.83.191
420 407641130 2.5.13.17.139.1327
44 435691990 2.5.23.5.97.3287
44 435691990 2.5.23.5.97.3287
44 484817110 2.5.19.71.83.433
44 484817110 2.5.19.71.83.433
448 584555070 2.5.17.19.31.5039
R9 44 540539330 2.5.23.71.79.419
458 52655472 2E3.19.71.97.503
R9 44 540314728 2E3.41.83.89.223
476 586180070 2.5.13.41.71.1549
R9 44 594986330 2.5.19.29.83.1301
493 643066405 3E3.5.11.41.59.179
44 657361313 2E3.5.23.7337.439
44 657361313 2E3.5.23.7337.439
44 759406332 2E2.17.73.151.1013
R9 534 802162700 2.5.47.89.97.223
R9 44 948242730 2.5.5.47.89.97.223
546 856305272 2E3.23.29.383.419
R9 44 885518728 2E3.47.59.227.1187
617 1112024370 2.5.7.59.227.1187
R9 44 1227440590 2.5.37.43.179.431
646 1249677052 2E3.23.67.167.607
R9 44 1249677052 2E3.23.67.167.607
44 158062005 2E3.7.5.17.21.15427
R9 44 2258828640 3E2.7.11.83.173.227
R9 556 19780830070 2.7.5.23.97.12671
R9 44 2313024266 2.7.31.41.43.3023
759 1990129570 2.5.11.13.43.3229
R9 44 2229439070 2.5.37.67.139.647
777 2091376035 3E2.5.7.29.179.1279
R9 44 222171965 3E2.5.11.59.127.599
900 2150256590 2.7.5.17.131.2581
795 224607135 3E3.5.7.19.31.227
R9 44 240279065 3E3.5.31.37.59.263
R9 44 240279065 3E3.5.31.37.59.263
907 2282361092 2E2.11.19.239.11423
R9 44 2323795708 2E2.13.23.127.15289
822 2410351540 3E2.13.23.127.15289
R9 44 2721279692 2E2.17.73.293.1871
826 24280035470 2.5.7.53.359.1023
R9 44 267799710 2.5.29.71.113.1151
835 2482324810 2.5.13.23.41.24289
44 268437080 2E3.13.181.367.431
44 268437080 2E3.13.181.367.431
44 2598502312 2E3.37.127.137.503
R9 44 2598502312 2E3.37.127.137.503
848 2614326776 2E3.61.79.3989
R9 44 2729081224 2E3.19.107.199.433
855 2682405256 2E3.23.187.131.1259
R9 44 2706362744 2E3.31.53.103.1089.1809

TOTAL NUMBER: 24

1273 731982604 2E2.11E2.17.389.2287
R9 X 7633515956 2E2.11.41.659.6421
1275 7336299285 2E2.5.7.19.443.2767
R9 X 8001520875 3E3.5E3.47.73.691
1277 7347995392 2E8.2E9.186763
L1 X 7373955488 2E5.71.3245579
1281 740796945 3E2.5.13.11E2.113.929
R9 X 7967123775 3E2.5E2.13.569.47846
1284 751658715 3E2.5E2.3.39.14361
R9 X 7523463830 2.5.7E2.53.271.1069
1287 7523463830 2.5.7E2.53.271.1069
R9 X 8601287130 2.5.37.71.327419
1288 7534469228 2E2.19.11.13.761.911
R9 X 8816613652 2E2.19E2.227.26879
1289 7562801950 2.5E2.11.2099.6551
L1 X 7794652250 2.5E3.19.1640519
1291 7579753125 3.5E5.7.19.6079
R9 X 7619274075 3.5E2.7.19.419.1823
1292 7619274075 3.5E2.7.19.419.1823
R9 X 7776648518 3E2.5.23.43.29.18663
1305 7780806875 3.5E2.7.17.149.5951
R9 X 7893190725 3.5E2.7E2.43.199.251
1309 7822669778 2.7E2.11.19.167.2287
R9 X 7952449582 2.7.11.19.131.20747
1311 7906303190 2.5.31.13.619.3167
R9 X 7938683050 2.5E2.31.47.59.1847
1318 8006813199 3E3.7E2.19.11.23.1259
R9 X 858547801 3E3.11.569.1521.1619
1320 858547801 3E3.11.569.1521.1619
R9 X 82335047304 2E3.23.97E2.4759
1323 8119394450 2.5E2.31.19.23.11987
R9 X 980523790 2.5.31.73.107.3719
1333 8269106625 3E2.13E2.31.61.5E3.23
L1 X 9402333759 3E2.13E2.31.61.7.467
1335 8279312030 2.5.11.37.881.2309
R9 X 8443831330 2.5.5.11E2.1187.5879
1337 8293896650 2.5E2.13.89.307.467
R9 X 8596872780 2.5.13.131.821.478
1340 8596872780 2.5.13.131.821.478
R9 X 11650828566 2.7.967.864107
1344 8455838230 2.7.5.97.911.1367
R9 X 9158518762 2.7.11E2.83.151.431
1345 8459517832 2E3.17E3.31.53.131
R9 X 9400308968 2E3.79.2087.7127
1346 8467262505 3E4.5.13E2.17.19.383
R9 X 9899027415 3E4.5.31.487.1619
1348 849179628 2E2.13.11E2.103.13103
R9 X 952422158 2E2.13.11E2.103.13103
R9 X 85655911839 3E2.7.13.53.227.1051
1355 855778508 2E2.5E3.197.283.307
R9 X 10355067452 2E2.23.9371.12011
1361 8676652328 2E3.19E2.47.97.659
R9 X 9066365272 2E3.43.59.587.761
1362 8717951385 3E2.5.13.11E2.79.1559
R9 X 9407501415 3E2.5.13.37.223.1949
1366 8650621358 2.7E2.19.11.6013.257
R9 X 8851179072 2E7.29.433.5507
1367 8851179072 2E7.29.433.5507
R9 X 9435731728 2E4.3467.170899
1370 8924847490 2.5.5.17.19.521.5303
R9 X 9017850750 2.5E3.17.271.7839
1371 8935581375 3E2.5E3.7.53.79.271
R9 X 10128267585 3E2.5.19.47.103.2447
1374 8971549180 2E2.5.11.29E3.13763
R9 X 11589884084 2E2.151.211E2.431
1380 9018517725 3E4.5E2.7.349.1823
R9 X 9475201478 3.7E2.5.23.115.81.307
R9 X 11614364306 2.7.41.113.241.743
1390 9153060685 3E2.5.13.11.37E2.1039
R9 X 10021735035 3E2.5.13.47.389.937
1391 9159365024 2E5.53.241.22409
L1 X 9290429416 2E3.17.4157.16433
1394 9205801010 2.5.57.53.191.2749
R9 X 10296406990 2.5E3.11.17E3.1889
1398 9262329250 2.5E3.11.17E3.1889
R9 X 9775649480 2.5.17.4.181.1689291
R9 X 11451453932 2E2.47.101.663.883
1405 9357224877 3E2.7E3.13.11E2.41.47
R9 X 10162493523 3E5.7E3.13.83.113
1409 9490622048 2E5.61.4861999
L1 X 9500349952 2E9.4079.4549
1411 9549021568 2E7.37.101.19963
R9 X 10182996752 2E4.9043.70379
1417 9818506568 2E3.13E2.29.179.1399
R9 X 982306975 3E3.8E2.19431.89371
R9 X 11918566385 3E2.5.19.931.14057
1423 9880655085 3E2.5.7.17.233.7919
R9 X 10935385075 3E2.5E3.19.431.1187
TOTAL NUMBER: 345

Appendix III

The gcd's of the first 1427 APs

GCD	FREQ	RANK NUMBER(S) OF AP'S WITH THIS GCD									
2	2										
		2	278								
4	67	1	3	4	23	24	36	53	64	83	97
		115	153	154	165	209	226	238	255	267	274
		294	313	323	345	347	348	502	505	570	586
		632	645	721	738	748	750	763	776	800	807
		811	822	842	846	852	867	877	909	920	937
		975	976	1060	1119	1132	1160	1251	1307	1316	1322
		1350	1355	1365	1368	1374	1399	1406			
8	208										
		5	6	17	21	26	31	32	33	34	35
		37	40	42	47	59	62	65	67	69	74
		76	80	81	84	90	93	94	95	103	110
		112	116	120	122	126	131	140	143	144	148
		150	159	161	163	174	180	182	184	186	192
		199	201	206	208	212	217	218	239	240	244
		258	266	279	280	293	296	298	300	305	311
		314	315	317	318	330	333	339	353	357	361
		363	374	375	376	382	387	400	405	417	432
		438	447	452	455	458	459	463	467	475	498
		513	523	525	546	552	553	558	571	574	579
		580	587	591	599	606	631	633	639	644	646
		652	658	665	668	690	702	713	716	720	722
		727	737	762	771	788	806	808	814	836	845
		848	854	855	858	863	869	871	876	881	912
		913	919	925	942	946	953	972	973	974	978
		981	982	992	999	1011	1026	1028	1043	1063	1077
		1078	1079	1113	1117	1120	1126	1130	1141	1152	1153
		1164	1170	1182	1184	1213	1218	1222	1235	1243	1250
		1252	1253	1279	1302	1320	1329	1345	1354	1356	1361
		1376	1378	1391	1393	1404	1407	1408	1417		
10	94										
		13	18	43	45	49	52	54	55	58	70
		75	79	98	99	105	107	128	146	190	210
		219	227	228	264	275	283	286	289	299	328
		332	343	378	420	437	441	448	476	479	507
		519	534	544	589	598	609	617	620	627	664
		670	674	676	723	759	769	826	834	835	843
		859	897	904	1001	1007	1023	1027	1042	1053	1062
		1064	1066	1074	1093	1103	1104	1105	1108	1111	1123
		1148	1159	1167	1209	1221	1240	1257	1266	1285	1287
		1373	1394	1398	1419						
14	30										
		25	61	73	77	119	127	135	177	187	198
		249	377	395	399	412	470	480	651	701	756
		790	809	825	857	873	1070	1110	1342	1344	1384
15	1	900									

16	150	8	18	16	19	20	27	29	39	51	60
		63	68	86	118	121	156	158	164	169	175
		179	193	193	196	213	231	232	248	257	281
		284	295	288	307	322	326	327	327	336	351
		365	366	381	385	390	397	407	429	433	434
		435	445	450	453	454	474	486	487	509	514
		527	536	545	550	573	575	577	578	583	625
		643	654	669	671	672	673	682	692	696	699
		706	735	742	744	748	739	828	850	869	907
		978	1066	1016	1016	1028	1021	1035	1036	1041	1059
		1075	1086	1095	1106	1115	1127	1127	1128	1129	
		1139	1146	1154	1180	1197	1192	1194	1198	1202	1211
		1214	1227	1238	1241	1244	1256	1261	1268	1274	1292
		1297	1326	1328	1336	1364	1367	1411	1415	1416	1424
21	1	316									
22	3	89	567	1483							
32	76	57	130	139	142	155	216	229	246	247	268
		287	324	335	344	346	352	371	380	411	413
		419	439	456	457	468	471	477	535	540	568
		595	616	655	686	694	710	757	761	827	856
		860	870	883	916	923	948	956	957	960	979
		991	1003	1058	1067	1072	1118	1122	1163	1166	1178
		1210	1223	1242	1246	1277	1308	1310	1341	1343	1360
		1382	1383	1388	1395	1396	1409				
44	37	22	98	211	262	304	308	398	428	566	572
		596	603	608	624	662	697	752	758	770	823
		829	868	892	911	914	915	932	964	989	998
		1032	1092	1101	1273	1303	1321	1330			
45	26	14	108	132	141	214	220	252	265	301	331
		342	465	497	618	687	775	777	885	1094	1100
		1135	1258	1275	1371	1420	1423				
50	43	44	71	91	124	139	181	223	263	272	350
		404	423	451	500	512	551	719	731	773	797
		821	837	864	880	901	947	967	985	988	1008
		1038	1096	1107	1131	1150	1204	1207	1208	1230	1289
		1295	1340	1400							
52	13	133	195	271	422	473	499	504	562	634	997
63	2	1319	1348	1357							
64	22	746	931								
		92	197	464	526	594	611	638	641	801	806
		891	902	907	1015	1076	1156	1245	1283	1286	1315
		1331	1413								
68	3	362	402	485							
76	11	207	269	543	565	569	816	874	1071	1255	1272
		1288									
92	4	9	200	515	612						
98	6	28	273	505	711	1089	1165				
105	24	7	30	102	136	202	295	318	409	490	508
		555	640	636	636	693	733	779	798	917	969
		1022	1040	1203	1379						
110	20	109	292	349	350	483	494	623	661	802	922
		995	1112	1172	1181	1215	1226	1247	1260	1335	1425
124	2	442	903								
128	2	104	718								
130	16	87	156	277	449	466	592	691	736	784	865
		1017	1150	1237	1337	1401	1402				
135	47	11	41	82	145	152	171	189	215	221	224
		225	319	354	372	391	409	418	481	484	493
		518	539	590	604	613	656	666	675	728	754
		772	795	921	959	963	1004	1005	1034	1037	1085
		1174	1176	1185	1189	1347	1363	1372			
136	5	996	1212	1233	1294	1298					
148	2	444	987								
152	16	125	360	436	559	600	805	812	831	879	895
		1002	1091	1300	1324	1412	1426				
154	16	168	394	421	610	626	630	647	649	653	804
		872	898	986	1082	1157	1359				
165	2	96	414								
170	13	205	340	393	426	511	650	732	783	844	1216
		1262	1264	1370							
182	4	160	172	330	1171						
184	6	431	704	774	781	943	1136				
190	10	680	740	861	930	1012	1060	1098	1151	1276	1200
212	2	548	619								
225	10	85	157	167	510	538	549	1014	1106	1188	1201
230	1	905									
231	1	1144									
232	3	101	537	1044							

