

**Meeting:** 1004, Bowling Green, Kentucky, SS 9A, Special Session on L-Functions

1004-11-51            **Scott Ahlgren** (ahlgren@math.uiuc.edu), 1409 West Green Street, Urbana, IL 61801, and  
                         **Matthew Boylan\*** (boylan@math.uiuc.edu), 1409 West Green Street, Urbana, IL 61801.  
                         *Non-vanishing of central critical values of modular L-functions modulo p.*

Let  $F(z)$  be a newform of weight  $2k$ , let  $D$  be a fundamental discriminant, and let  $L(F,D,s)$  be the L-series of  $F$  twisted by the Kronecker character of discriminant  $D$ . In this talk, I will show that if there are two  $D$  (subject to some local conditions) for which the algebraic part of the central critical value  $L(F,D,k)$  is not  $0 \pmod{p}$ , then there are infinitely many such  $D$ . This result depends on non-vanishing results for the Fourier coefficients of half-integral weight modular forms modulo  $p$ , which are of independent interest. I will also discuss applications to elliptic curves and orders of Shafarevich-Tate groups. This is joint work with Scott Ahlgren. (Received January 12, 2005)