

**CORRECTION AND SUPPLEMENT TO THE PAPER
THE DIRECT PRODUCT OF RIGHT SINGULAR
SEMIGROUPS AND CERTAIN GROUPOIDS¹**

T. TAMURA, R. B. MERKEL AND J. F. LATIMER

First we would like to correct a few places in the paper as follows:
p. 122, 2nd line from the bottom (condition P5.5), next to "two-sided identity," add

$$"e_\alpha \quad \text{and} \quad e_\alpha e_\beta = e_\beta."$$

p. 123, 1st line,

delete "P5.3".

p. 123, 2nd line from the bottom (the proof of Theorem 6)

"P5.3" is replaced by "P5.5".

To make sure, we shall restate the changed part:

P5.5. There is a decomposition $\{S_\alpha\}$ of S such that each S_α is a groupoid with a two-sided identity e_α and $e_\alpha e_\beta = e_\beta$.

VIII₂'. $\{P5.1, P5.2, P5.5\}$.

Theorem 6 can be restated as follows:

THEOREM 6. *A groupoid S is an M -groupoid if and only if S is a right zero band of groupoids S_α with identity e_α , $S = \bigcup_{\alpha \in R} S_\alpha$, $S_\alpha S_\beta \subset S_\beta$ such that $e_\alpha e_\beta = e_\beta$.*

In other words:

Let S be a right zero band of groupoids S_α with an identity e_α . Then S is the direct product of a right zero band and a groupoid with an identity if and only if

$$e_\alpha e_\beta = e_\beta.$$

Let VIII₃' denote the original VIII₂', that is,

VIII₃' . $\{P5.1, P5.2, P5.3 \text{ with the original } P5.5\}$.

VIII₃' is a sufficient condition for S to be an M -groupoid, but not a necessary condition.

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¹ Proc. Amer. Math. Soc. **14** (1963), 118-123.