## ERRATA, VOLUME 17

Harold Widom and Herbert Wilf, *Small eigenvalues of large Hankel matrices*, pp. 338–344.

In the formula for $\log|A(\rho e^{i\varphi})|$ on p. 339 the factor $1/2\pi$ should be $1/4\pi$.

The last formula on p. 344 should read

$$\lambda_N \sim \pi^{3/2}(8 + 6\cdot 2^{1/2})^{5/2}N^{1/2}(1 + 2^{1/2})^{-4N-9}.$$

## ERRATA, VOLUME 17

Sam B. Nadler, Jr., *A characterization of the differentiable submanifolds of $R^n$*, pp. 1350–1352.

The last paragraph of the proof of Theorem 1 should be replaced by:

If $H=h^{-1}|_{W\cap W'}$, then $(W\cap W', H)$ is a coordinate system of $R^n$ such that $H(W\cap W'\cap f(U))=H(W')\cap H(W\cap f(U))=H(W')\cap H(W\cap f(W)) = H(W')\cap H(W)\cap H(f(W)) = H(W')\cap H(W)\cap H(h(f_0(g(W)))) = H(W')\cap H(W)\cap H(h(I^r)) = H(W')\cap H(W)\cap h^{-1}(W\cap W')\cap I^r$, where $I^r=\{(x_1, x_2, \cdots, x_n)\in I^n\colon x_i=0$ for $r<i\leqq n\}$ (note that, since $W\subset V$ and $V$ was actually assumed to be a subset of $U$, $W\subset U$ and thus $f(W)=h(f_0(g(W)))$). Hence, there is a covering of $f(U)$ by coordinate systems of $R^n$ of type $(W\cap W', H)$ such that $H(W\cap W'\cap f(U))$ is an open subset of $R^r$. This proves that $f(U)$ is a class $C^1$ differentiable submanifold of $R^n$ of dimension $r$, as defined in [**3**, p. 15].