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Extensions of normal bases and completely basic fields. By Carl C. Faith. Pages 406–427.

Page 421. First line of Lemma 3.1: $\cdots$, and let u be a normal basis element defined by (3.4).

Page 422. Lemma 3.4 (IV): $\cdots$ the element $u=u^*+(1-\delta_1)\xi$ generates $\cdots$.

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A new class of continued fraction expansions for the ratios of Heine functions. By Evelyn Frank. Pages 288–300.

Page 289. First line of formula (2.1) should read:

$$\frac{\phi(a,\,b,\,c,\,q,\,z)}{\phi(a,\,b+1,\,c+1,\,q,\,z)} \sim 1+\frac{d_1z}{f_1z+1+}\,\frac{d_2z}{f_2z+1+}\,\frac{d_3z}{f_3z+1+}\cdots = K_1,$$

Page 290. First line of formula (2.3) should read:

$$\frac{\phi(a,\,b,\,c,\,q,\,z)}{\phi(a+1,\,b,\,c,\,q,\,z)} \sim 1+\frac{d_1z}{f_1z+1+}\,\frac{d_2z}{f_2z+1+}\,\frac{d_3z}{f_3z+1+}\cdots = K_2.$$

Page 296. The paragraph following Theorem 3.1 should read:

"In order to investigate the convergence of (2.3), the roots of the auxiliary equation one finds are $q^a z \cdots$" (not $v^a z$).

Page 297. The first line of formula (3.6) should read:

$$\frac{1}{q^a z}\cdot[K_2-1]+1=\frac{\phi(b-c,\,b,\,b-a,\,q,\,q^{c-a-b}/z)}{\phi(b-c+1,\,b,\,b-a,\,q,\,q^{c-a-b}/z)}$$

Page 298. First formula in Theorem 3.3, the numerator should read:

$$(1-q^{a-c})\cdot\phi(a,\,a-c+1,\,a-b+1,\,q,\,q^{c+1-a-b}/z)$$